# Computational Optimization of Steel Lattice Tower 

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#### Abstract

Nowadays, there are many software available in market which can able to optimize a given structure considering its weight. Most of this software includes size optimization feature in which repetitive analysis and design part is automated. Limitation of this software is to do shape optimization, which requires successive model generation for analysis and design. Shape optimization needs comparison of results obtained from different alternatives, which is very ponderous.

In the present study, size and shape optimization process is implemented for 3D steel lattice tower. The present study is aimed at design optimization of steel lattice tower considering its weight with satisfying stress constraints based on IS:800-2007, thus resulting in reduction of overall project cost using a self-guided strategy. The algorithm can select Indian Standard Pipe sections based on structural requirements. Shape optimization is achieved as per given constraints for changing the geometrical dimensions. Geometrical dimensions are decided for each alternate is based on Self-Guided Strategy. The process of size and shape optimization is automated using "Visual Basic for Applications" in Microsoft Excel environment using "STAAD.Pro" for analysis. The interface runs in background for both the softwares and is developed using OpenSTAAD library. The main reason for choosing STAAD.Pro and Microsoft Excel is, both are familiar to users. The process and technique used in the present study are used to provide optimized solution for steel lattice towers. Results of size and shape optimization are compared and tabulated.


Index Terms—Size optimization, shape optimization, lattice tower, OpenSTAAD, Visual Basic for Applications, Self-Guided Strategy

## I. Introduction

Main focus of any steel structure engineer is to optimize the weight or volume of a structure. The reason behind that is if weight of structure is less than the cost of fabrication, galvanizing, transportation will be reduced. Thus, will lead to reduction in overall cost of project.

Most of the structure design software includes size optimization feature in which repetitive analysis and design part in automated. Limitation of this software is to do shape optimization, which requires successive model generation for analysis and design. Shape optimization needs comparison of results obtained from different alternatives. In the present study, size and shape optimization process is implemented for 3D steel lattice tower. The process of size and shape optimization is automated using "Visual Basic for Applications" in Microsoft Excel environment using "STAAD.Pro" for analysis. For designing purpose IS:800-2007 is used. The interface runs in background for both the software and is developed using OpenSTAAD library. The optimization method generates random points in initial stage. And moves possible nearest point after sequential alternates. Algorithm will stop when convergence criteria is satisfied.

## II. ExCEL InPUT Interface

Fig. 1 shows the Excel input interface for optimization of steel lattice tower. There are some blank boxes in the interface. The user has to fill geometry data, material data and shape optimization constraints.

## A. Geometry Data

Geometry data contains overall height of steel lattice tower, number of panels in lattice tower and height of each panel, bottom and top width of lattice tower. Here, the program restricted to maximum 20 number of panels. After changing top and bottom width of lattice tower all the intermediate nodes will be automatically created and new coordinate system is generated. This data is used by STAAD.Pro software to create member connectivity.


Fig. 1 Excel Input Interface

## B. Material Data

Material data contains allowable stress, modulus of elasticity and density of steel. This data is shared by STAAD.Pro. Allowable stress of steel is used for design calculation of members in excel. Density is used for weight calculation of structure. Both parameters are used at each iteration.

## C. Shape Optimization Constraint

Shape optimization constraint gives two blank boxes. Here, user can limit the minimum dimensions i.e. bottom and top width of lattice tower.

## D. "Size and Shape Optimization" Button

The tasks performed can be summarized as follows:
Step 1: starts selecting random sections for each member. Then STAAD.Pro environment invokes and geometry creation, assignment of support, load, material, random sections will be automated.

Step 2: After analysis is done forces are dumped in predefined excel sheet and design module is carried out automatically. Where capacity, factor of safety and required new section is calculated for each member.

Step 3: After getting the new section assignment of section is done and will execute step 2 again till convergence criteria is satisfied or maximum no of generation is reached.

Step 4: Now, new dimensions are adopted to change shape of lattice tower and algorithm will get back to step 1 to step 3. Algorithm will keep on changing the dimensions of lattice tower till shape optimization constraint is reached or convergence criteria is satisfied.

## E. Documentation

A well documentation of result is much needed for easy understanding and for submission purpose. Fig. 2 shows design file of 40-bar lattice tower. In the present work, user can get design file of each shape alternate as shown in fig. 2


Fig. 2 Documentation of Design File

## III. TECHNIQUES FOR SHAPE OPTIMIZATION

In steel lattice tower shape optimization is a key technique to optimize weight. Shape optimization needs number of different alternates. This, alternates are in the form of various bottom and top width of steel lattice tower. In the present study, lower limit and upper limit of both the top and bottom width of tower is pre-decided. To cover the most values between the limits in limited alternates here two methods are developed. Shape alternatives are denoted as A1, A2, A3,..An. Upper limit of bottom and top width are denoted as $\mathrm{B}_{\mathrm{UL}}$ and $\mathrm{T}_{\mathrm{UL}}$. Lower limit of bottom and top width are denoted as $\mathrm{B}_{\mathrm{LL}}$ and $\mathrm{T}_{\mathrm{LL}}$.

## Method 1:

In this method for initial alternate is a combination of upper limit of bottom and top width. Then top width is gradually decreased with specified interval till the weight is decreasing. If there isn't any further reduction in weight then bottom width is decreased and top width is taken similar to the last optimal alternate. This process is carried out till the algorithm reaches the lower limit of bottom width.

## Method 2:

In this method six alternatives are used to get optimal weight of tower. Below method is developed to choose top and bottom width for alternatives.

| No. of Alternates | Bottom Width |  | Top Width |
| :--- | :--- | :--- | :--- |
| A1 | B1 $=\mathrm{B}_{\mathrm{UL}}$ | $\mathrm{T} 1=\mathrm{T}_{\mathrm{UL}}$ |  |
| A2 | $\mathrm{B} 2=\mathrm{B}_{\mathrm{LL}}$ | $\mathrm{T} 2=\mathrm{T}_{\mathrm{LL}}$ |  |
| A3 | $\mathrm{B} 3=\frac{B_{U L}+B_{L L}}{2}$ | $\mathrm{~T} 3=\frac{T_{U L}+T_{L L}}{2}$ |  |
| A4 | $\mathrm{A} 3>\mathrm{A} 1$ | $\mathrm{~A} 3<\mathrm{A} 1$ | A |
| A5 | $\mathrm{B} 4=\frac{B_{A V G}+B_{U L}}{2}$ | $\mathrm{~T} 4=\frac{T_{A V G}+T_{L L}}{2}$ | $\mathrm{~T} 4=\frac{T_{A V G}+T_{U L}}{2}$ |
|  | $\mathrm{~B} 4=\frac{B_{A V G}+B_{L L}}{2}$ | $\mathrm{~A} 4>\mathrm{A} 2$ | $\mathrm{~A} 4<\mathrm{A} 2$ |
| $\mathrm{~A} 44>\mathrm{A} 2$ |  |  |  |


|  | $\mathrm{B} 5=\frac{B_{A V G}+B_{U L}}{2}$ | $\mathrm{~B} 5=\frac{B_{L L}+B_{U L}}{2}$ | T5 $=\frac{T_{A V G}+T_{L L}}{2}$ | T5 $=\frac{T_{L L}+T_{U L}}{2}$ |
| :--- | :--- | :--- | :--- | :--- |
| A6 | A5<A2 | A5>A2 | A5<A2 | A5>A2 |
|  | B6 $=\frac{B_{A V G}+B_{U L}}{2}$ | B6 $=\frac{B_{L L}+B_{U L}}{2}$ | T6 $=\frac{T_{A V G}+T_{L L}}{2}$ | T6 $=\frac{T_{L L}+T_{U L}}{2}$ |

For 40 -bar and 148 -bar steel lattice tower both the shape optimization methods are implemented along with size optimization and comparison between two methods is carries out. Based on results, method-2 is chosen from two methods for optimization of 196-bar steel lattice tower.

## IV. NUMERICAL EXAMPLES

Material property and section database is kept same for all examples.

## A) 40-Bar steel lattice tower

A 40-bar truss structure is shown in Fig. 3 with node numbers, member numbers and initial dimensions of the truss structure. Here, the cross-sectional areas of each members are considered as 40 sizing design variables, for which the STAAD database is used. Indian pipe sections are used for design variable.


Fig. 3 A 40-bar steel lattice tower
For shape optimization top width and bottom width are considered as design variable. For all examples steel lattice tower is assumed to be symmetric. The data assumed are: modulus of elasticity, $E=205000 \mathrm{MPa}$, density, $\rho=7833 \mathrm{~kg} / \mathrm{m}^{3}$, yield stress, $\sigma_{\max }=250 \mathrm{MPa}$. Loading details are given in Table 1. Fig. 4 shows excel input interface. For shape optimization minimum bottom and top width are restricted to 1.5 m and 0.5 m respectively.

Table 1 Loads on 40-bar steel lattice tower

| Node No. | X-dir(kN) | Y-dir(kN) | Z-dir(kN) |
| :---: | :---: | :---: | :---: |
| 13 | 0 | -30 | 0 |
| 14 | 0 | -30 | 0 |
| 15 | 0 | -30 | 0 |
| 16 | 0 | -30 | 0 |
| 5 | 30 | 0 | 0 |
| 8 | 30 | 0 | 0 |
| 9 | 30 | 0 | 0 |
| 12 | 30 | 0 | 0 |
| 13 | 30 | 0 | 0 |
| 16 | 30 | 0 | 0 |

Table 2 Results from method-1 for 40-bar steel lattice tower
RESULTS OBTAINED FOR 40-BAR STEEL LATTICE TOWER (SHAPE OPTIMIZATION METHOD 1)

| Shape Alternate | Bot width $(\mathrm{m})$ | Top width $(\mathrm{m})$ | Optimized Weight(kg) |
| :---: | :---: | :---: | :---: |
| 1 | 2 | 1 | 181 |
| 2 | 2 | 0.9 | 174 |
| 3 | 2 | 0.8 | 174 |
| 4 | 1.9 | 0.9 | 175 |
| 5 | 1.9 | 0.8 | 174 |
| 6 | 1.9 | 0.7 | 172 |
| 7 | 1.9 | 0.6 | 166 |
| 8 | 1.9 | 0.5 | 165 |
| 9 | 1.8 | 0.5 | 167 |
| 10 | 1.7 | 0.5 | 166 |


| 11 | 1.6 | 0.5 | 167 |
| :---: | :---: | :---: | :---: |
| 12 | 1.5 | 0.5 | 173 |

Table 3 Results from method-2 for 40-bar steel lattice tower

## RESULTS OBTAINED FOR 40-BAR STEEL LATTICE TOWER (SHAPE OPTIMIZATION METHOD 2)

| RESULTS OBTAINED FOR 40-BAR STEEL LATTICE TOWER (SHAPE OPTIMIZATION METHOD 2) |  |  |  |
| :---: | :---: | :---: | :---: |
| Shape Alternate | Bot width $(\mathrm{m})$ | Top width $(\mathrm{m})$ | Optimized Weight(kg) |
| 1 | 2.00 | 1.00 | 181 |
| 2 | 1.50 | 0.50 | 173 |
| 3 | 1.75 | 0.75 | 175 |
| 4 | 1.63 | 0.63 | 170 |
| 5 | 1.69 | 0.69 | 173 |
| 6 | 1.59 | 0.59 | 171 |

Table 2 shows that alternative 8 with TW=0.5 and $\mathrm{BW}=1.9$ gives the most optimized weight of 165 kg . There is a $9.7 \%$ saving in weight compare to initial design or alternate 1 . Table 3 shows that alternative 4 with $\mathrm{TW}=0.63$ and $\mathrm{BW}=1.63$ gives the most optimized weight of 170 kg . There is a $6.5 \%$ saving in weight compare to initial design or alternate 1 . There is not much difference between both the methods.

## B) 148-Bar steel lattice tower

A 148-bar truss structure, shown in Fig.3.


Fig. 3 3D view of 148-bar steel lattice tower

Table 4 Loads on 148-bar steel lattice tower


Fig. 4 Details of 148 -bar steel lattice tower

| Node No. | X-dir(kN) | Y-dir(kN) | Z-dir(kN) |
| :---: | :---: | :---: | :---: |
| 52 | 0.294 | 0.000 | -0.294 |
| 51 | 0.294 | 0.000 | -0.294 |
| 50 | 0.294 | 0.000 | -0.294 |
| 49 | 0.294 | 0.000 | -0.294 |
| 48 | 1.618 | -1.324 | -1.618 |
| 47 | 1.618 | -1.324 | -1.618 |
| 46 | 1.618 | -1.324 | -1.618 |
| 45 | 1.618 | -1.324 | -1.618 |
| 44 | 0.686 | -0.441 | -0.686 |
| 43 | 0.686 | -0.441 | -0.686 |
| 42 | 0.686 | -0.441 | -0.686 |
| 41 | 0.686 | -0.441 | -0.686 |
| 40 | 0.735 | -0.441 | -0.735 |
| 39 | 0.735 | -0.441 | -0.735 |
| 38 | 0.735 | -0.441 | -0.735 |
| 37 | 0.735 | -0.441 | -0.735 |
| 36 | 0.932 | -0.539 | -0.932 |
| 35 | 0.932 | -0.539 | -0.932 |
| 34 | 0.932 | -0.539 | -0.932 |
| 33 | 0.932 | -0.539 | -0.932 |
| 32 | 1.128 | -0.686 | -1.128 |
| 31 | 1.128 | -0.686 | -1.128 |
| 30 | 1.128 | -0.686 | -1.128 |
| 29 | 1.128 | -0.686 | -1.128 |
| 28 | 1.226 | -0.785 | -1.226 |
| 27 | 1.226 | -0.785 | -1.226 |
| 26 | 1.226 | -0.785 | -1.226 |
| 25 | 1.226 | -0.785 | -1.226 |
| 24 | 1.324 | -0.854 | -1.324 |
| 23 | 1.324 | -0.854 | -1.324 |
| 22 | 1.324 | -0.854 | -1.324 |
| 21 | 1.324 | -0.854 | -1.324 |
| 20 | 1.618 | -0.981 | -1.618 |
| 19 | 1.618 | -0.981 | -1.618 |
| 18 | 1.618 | -0.981 | -1.618 |
| 17 | 1.618 | -0.981 | -1.618 |
| 16 | 1.961 | -1.275 | -1.961 |
| 15 | 1.961 | -1.275 | -1.961 |
| 14 | 1.961 | -1.275 | -1.961 |
| 13 | 1.961 | -1.275 | -1.961 |
| 12 | 2.157 | -1.422 | -2.157 |
| 11 | 2.157 | -1.422 | -2.157 |
| 10 | 2.157 | -1.422 | -2.157 |
| 9 | 2.157 | -1.422 | -2.157 |
| 8 | 2.354 | -1.569 | -2.354 |
| 7 | 2.354 | -1.569 | -2.354 |
| 6 | 2.354 | -1.569 | -2.354 |
| 5 | 2.354 | -1.569 | -2.354 |

For shape optimization minimum bottom and top width are restricted to 1.8 m and 0.5 m respectively.
Table 5 Results from method- 1 for 148-bar steel lattice tower

| Shape Alternate | Bot width $(\mathrm{m})$ | Top width $(\mathrm{m})$ | Optimized Weight(kg) |
| :---: | :---: | :---: | :---: |
| 1 | 4.0 | 1.0 | 1326 |
| 2 | 4.0 | 0.9 | 1323 |
| 3 | 4.0 | 0.8 | 1313 |
| 4 | 4.0 | 0.7 | 1304 |
| 5 | 4.0 | 0.6 | 1280 |
| 6 | 4.0 | 0.5 | 1274 |
| 7 | 3.8 | 0.5 | 1253 |
| 8 | 3.6 | 0.5 | 1212 |


| 9 | 3.4 | 0.5 | 1199 |
| :---: | :---: | :---: | :---: |
| 10 | 3.2 | 0.5 | 1175 |
| 11 | 3.0 | 0.5 | 1141 |
| 12 | 2.8 | 0.5 | 1143 |
| 13 | 2.6 | 0.5 | 1104 |
| 14 | 2.4 | 0.5 | 1091 |
| 15 | 2.2 | 0.5 | 1097 |
| 16 | 2.0 | 0.5 | 1098 |
| 17 | 1.8 | 0.5 | 1098 |

Table 6 Results from method-2 for 148 bar steel lattice tower

| Shape Alternate | Bot width $(\mathrm{m})$ | Top width $(\mathrm{m})$ | Optimized Weight $(\mathrm{kg})$ |
| :---: | :---: | :---: | :---: |
| 1 | 4.00 | 1.00 | 1326 |
| 2 | 1.80 | 0.50 | 1098 |
| 3 | 2.90 | 0.75 | 1156 |
| 4 | 2.35 | 0.63 | 1092 |
| 5 | 2.63 | 0.69 | 1118 |
| 6 | 2.21 | 0.59 | 1089 |

Table 5 shows that alternative 14 with $\mathrm{TW}=0.5$ and $\mathrm{BW}=2.4$ gives the most optimized weight of 1091 kg . There is a $21.5 \%$ saving in weight compare to initial design or alternate 1 . Table 6 shows that alternative 6 with TW=0.59 and BW=2.21 gives the most optimized weight of 1089 kg . There is a $21.7 \%$ saving in weight compare to initial design or alternate 1 . So, method- 2 gives optimized weight, though there isn't much difference between both the methods. But method-2 takes 6 alternatives and method- 1 takes 14.

## C) 196-Bar steel lattice tower

A 196-bar truss structure, shown in Fig.5.


Fig. 5 3D view of 196-bar steel lattice tower

Calculation of Wind Load on Equipment: ( IS 875(Part 3):2015)

| Basic Wind Speed | $\mathrm{V}_{\mathrm{b}}=$ | 39.00 | $\mathrm{~m} / \mathrm{sec}$ |
| :--- | ---: | ---: | :--- |
| Coefficients | $\mathrm{K}_{\mathrm{l}}=$ | 1.06 |  |
|  | $\mathrm{~K}_{2}=$ | 1.16 |  |
|  | $\mathrm{~K}_{3}=$ | 1.20 |  |
| Design Wind Speed | $\mathrm{Vd}_{=} \mathrm{V}_{\mathrm{r}} * \mathrm{k}_{1} * \mathrm{k}_{2} * \mathrm{k}_{3}$ | 57.42 |  |
| Design Wind | $\mathrm{P}_{\mathrm{d}}=0.6 * \mathrm{~V}_{\mathrm{d}}{ }^{2}$ | 1978.3 | $\mathrm{~N} / \mathrm{m}^{2}$ |
| Pressure | $\mathrm{D}=$ | 2.0 | m |
| Diameter of dish | $\mathrm{A}_{\mathrm{e}}=$ | 3.14 | m |
| Exposed area of dish | $\mathrm{C}_{\mathrm{f}}=$ | 1.4 |  |
| Co-efficient for wind from front |  |  |  |
| Wind load on dish front face | $\mathrm{Fwt}=\mathrm{C}_{\mathrm{f}} * \mathrm{Ae}^{2} * \mathrm{P}_{\mathrm{d}}$ | 8.7 | KN acting on nodes 61,62,63,64 equally. |

Calculation of wind load distribution on tower nodes: (IS 802(Part 1/Sec 1):1995)

| Reference Wind Speed | $\mathrm{V}_{\mathrm{r}}=\mathrm{V}_{\mathrm{b}} / \mathrm{K}_{0}$ | 28.36 |
| :--- | ---: | ---: |
| Coefficients | $\mathrm{K}_{1}=$ | 1.00 |
|  | $\mathrm{~K}_{2}=$ | 1.00 |
| Design Wind Speed | $\mathrm{V}_{\mathrm{d}}=\mathrm{V}_{\mathrm{r}} * \mathrm{k}_{1} * \mathrm{k}_{2}$ | 28.36 |
| Design Wind Pressure | $\mathrm{P}_{\mathrm{d}}=0.6 * \mathrm{~V}_{\mathrm{d}}{ }^{2}$ | 482.7 |


| Loading Point | Panels | Height | Exposed Area m2 | Circumsc- <br> ribed <br> Area <br> m2 | Exposed/ Circumscribed Area | Drag Coefficie nt | Gust Factor | Load, Fwt $\mathbf{N}$ | Distribution of load | Load on <br> Each <br> Node <br> N |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1,2,3,4 |  |  |  |  |  |  |  |  | 396.70 | 0.397 |
|  | 1 | 4 | 1.07 | - 29.13 | 0.04 | 3.6 | - 1.7 | 3174 |  |  |
| 5,6,7,8 |  |  |  |  |  |  |  |  | 759.04 | 0.759 |
|  | 2 | 8 | 0.98 | 27.39 | 0.04 | 3.6 | 1.7 | 2899 |  |  |
| 9,10,11,12 |  |  |  |  |  |  |  |  | 703.63 | 0.704 |
|  | 3 | 12 | 0.91 | - 25.65 | 0.04 | 3.6 | 1.73 | 2730 |  |  |
| 13,14,15,16 |  |  |  |  |  |  |  |  | 675.58 | 0.676 |
|  | 4 | 16 | 0.86 | - 23.04 | 0.04 | 3.6 | 1.79 | 2674 |  |  |
| 17,18,19,20 |  |  |  |  |  |  |  |  | 580.42 | 0.580 |
|  | 5 | 19 | 0.62 | 16.79 | 0.04 | 3.6 | 1.82 | 1969 |  |  |
| 21,22,23,24 |  |  |  |  |  |  |  |  | 481.46 | 0.481 |
|  | 6 | 22 | 0.58 | 15.81 | 0.04 | 3.6 | 1.872 | 1883 |  |  |
| 25,26,27,28 |  |  |  |  |  |  |  |  | 460.81 | 0.461 |
|  | 7 | 25 | 0.55 | 14.83 | 0.04 | 3.6 | 1.894 | 1804 |  |  |
| 29,30,31,32 |  |  |  |  |  |  |  |  | 435.57 | 0.436 |
|  | 8 | 28 | 0.50 | 13.85 | 0.04 | 3.6 | 1.916 | 1681 |  |  |
| 33,34,35,36 |  |  |  |  |  |  |  |  | 379.32 | 0.379 |
|  | 9 | 30.5 | 0.40 | 10.80 | 0.04 | 3.6 | 1.96 | 1354 |  |  |
| 37,38,39,40 |  |  |  |  |  |  |  |  | 332.27 | 0.332 |
|  | 10 | 33 | 0.38 | 10.12 | 0.04 | 3.6 | 1.99 | 1304 |  |  |
| 41,42,43,44 |  |  |  |  |  |  |  |  | 312.66 | 0.313 |
|  | 11 | 35.5 | 0.34 | 9.44 | 0.04 | 3.6 | 2.015 | 1197 |  |  |
| 45,46,47,48 |  |  |  |  |  |  |  |  | 287.37 | 0.287 |
|  | 12 | 38 | 0.31 | 8.76 | 0.04 | 3.6 | 2.048 | 1102 |  |  |
| 49,50,51,52 |  |  |  |  |  |  |  |  | 253.93 | 0.254 |
|  | 13 | 40 | 0.26 | 6.52 | 0.04 | 3.6 | 2.07 | 929 |  |  |


| $53,54,55,56$ |  |  |  |  |  |  |  |  |  |  |
| ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| $57,58,59,60$ | 14 | 42 | 0.23 | 6.08 | 0.04 | 3.6 | 2.082 | 815 |  |  |
| $61,62,63,64$ | 15 | 44 | 0.21 | 5.65 | 0.04 | 3.6 | 2.094 | 754 |  |  |
| $65,66,67,68$ | 16 | 46 | 0.20 | 5.21 | 0.04 | 3.6 | 2.118 | 736 |  |  |

Table 7 Loads on 196-bar steel lattice tower


| 4 | 5.3 | 1.4 | 3088 |
| :---: | :---: | :---: | :---: |
| 5 | 4.9 | 1.2 | 2841 |
| 6 | 4.7 | 1.1 | 2722 |

Table 8 shows that alternative 4 with TW=1.0 and BW=4.5 gives the most optimized weight of 2671 kg . There is a $51.1 \%$ saving in weight compare to initial design or alternate 1 .

## V. Conclusion

Shape optimization is a very efficient technique to determine optimal weight of steel lattice tower. Proposed work shows that by decreasing top and bottom width of tower to certain level helps in reducing the tower weight. As the bottom width decreases the force in member increases and capacity of member also increases. But after certain level, capacity will not increase dominantly as the forces and because of that more reduction in width leads to increasing in weight.
The conclusions achieved from present work are:

1. Integration with STAAD.Pro software to overcome its limitation of shape optimization leads to remarkable percentage of saving in weight.
2. The excel input interface is user friendly and customized to handle both size and shape of steel lattice tower in a smooth and continuous environment.
3. This seamless procedure reduces the post processing time and dumps all the results for user verification in a single file with well documented format.
In the present work, two methods are developed for shape optimization to cover the most values between the upper and lower limits in limited alternates. There isn't much difference in optimized weight between two methods. But method-2 takes only 6 alternates to get optimized weight.

## VI. ACKNOWLEDGMENT

I would like to extend my sincere thanks to Prof. Satyen D. Ramani for his guidance and constant support in the project.

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