

3D Lifting Based Discrete Wavelet Transform

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Abstract : *The major challenge in the wavelet transforms is that there exist different classes of wavelet filters for different kinds of applications. In this chapter, we propose a generalized lifting-based wavelet processor that can perform various forward and inverse Discrete Wavelet Transforms (DWTs) and Discrete Wavelet Packets (DWP) that also supports higher order wavelet filters. Our architecture is based on Processing Elements (PEs) which can perform either prediction or update on a continuous data stream in every two clock cycles. We also consider the normalization step which takes place at the end of the forward DWT/DWP or at the beginning of the inverse DWT/DWP. Because different applications a flexible memory size that can be implemented in the design. To cope with different wavelet filters, we feature a multi-context configuration to select among various forward and inverse DWTs/DWPs.*

Index Terms – Discrete Wavelet Transform, Image Compression, PSNR, IDWT

1.1 Introduction: The principal thought behind wavelets is to break down as indicated by scale. Without a doubt, a few specialists in the wavelet field feel that, by utilizing wavelets, one is embracing a point of view in handling information. Wavelets are capacities that fulfill certain scientific necessities and are utilized as a part of speaking to information or different capacities. Fourier Change (FT) with its quick calculations (FFT) is an essential device for examination and handling of numerous regular signs. FT has certain restrictions to portray numerous characteristic signs, which are non-stationary (e.g. discourse). Despite the fact that a period shifting, covering window based FT in particular STFT (Brief Time FT) is outstanding for discourse preparing applications, a period scale based Wavelet Change is a ground-breaking scientific apparatus for non-stationary signs. The 3D Discrete Wavelet Change (DWT) is comprehensively used system for these remedial imaging structures in perspective of productive reproduction property. DWT can separate the signs into various sub bunches with both time and recurrence information and empower getting in contact at high pressure proportion. For the most part, DWT design decreases the memory necessities and grows the rate of correspondence by isolating the picture into the sub squares. Wavelets contain rich fundamental scientific ideas that can be credited to its mass-acknowledgment and making of new roads in look into. They are utilized generally as instrument in an expansive range of science and building. They are an inescapable piece of picture and flag preparing, guess hypothesis, examination of time arrangement, geophysics and numerous differing fields. For rendering the different seismic signs, Fourier transforms were failed therefore the wavelets were being good replacements.

The investigation of stationary information can without much of a stretch be expert through Fourier examination where the factual parameters stay unaltered after some time. In any case, the method isn't material for transient information occasions wherein the forecast in light of the past information isn't conceivable. This weakness was overwhelmed with the coming of wavelets and along these lines has been connected in a substantial range of orders. As of now, spaces like quantum mechanics, software engineering, flag preparing, arithmetic, picture handling, have profound established utilizations of wavelet changes). The usage of DWT in down to earth framework has a few issues. In the first place the intricacy of wavelet change is a few times higher than that of DCT. Second, DWT needs additional memory for putting away the halfway computational outcomes. In addition, for ongoing picture pressure, DWT needs to process gigantic measures of information at high speeds. The utilization of programming execution of DWT picture pressure gives adaptability to control however it may not meet some planning limitations in specific applications. Equipment execution of DWT, nonetheless, likewise has issues. The principal trouble is that the surprising expense of equipment usage of multipliers.

1.2 Wavelet Transform: The term 'wavelet' is combination of two words "wave" and "lets", which means "a little part of a wave". Wavelets are generally of irregular shapes in time scale. This waveform has an average value of zero. Numerous wavelets likewise show a property perfect for reduced flag portrayal symmetry. This property guarantees that information isn't over spoken to. A flag can be deteriorated into numerous moved and scaled introductions of the first mother wavelet. After wavelet decomposition the coefficients of the wavelets can be devastated to expel a portion of the subtle elements. It is a reasonable apparatus for non-stationary, transient or time-fluctuating marvels.

1.3 Wavelet Characteristics: The contrast between wave (sinusoids) and wavelet. Waves are smooth unsurprising and everlasting, while wavelets are of restricted length, sporadic. Waves are utilized as deterministic premise works in Fourier investigation for the extension of capacities (signals), which are time-invariant, or stationary.

1.4 Discrete Wavelet Transform: Discrete wavelet transform is a multi-dimensional investigation instrument. with incredible qualities in the time and recurrence areas. Additionally it is anything but difficult to acquire high pressure proportion and consequently generally utilized as a part of flag preparing and picture pressure. The discrete wavelet transform (DWT) became a very versatile signal processing. The advantage of the DWT over Fourier transformation is that it performs multi-resolution analysis of signals.

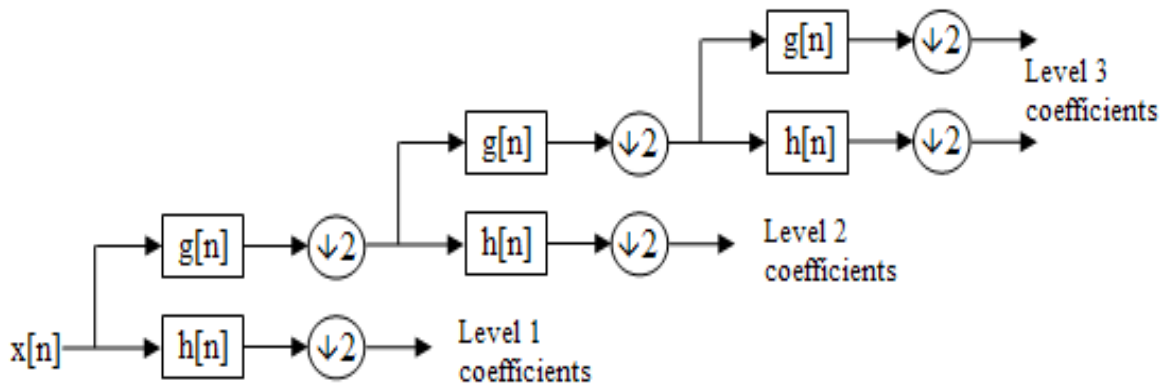


FIG 1.3: Discrete wavelet transform

1.4.1 1D Discrete Wavelet Transform: At that point down testing (i.e., disregarding the substitute coefficients) is connected to these sifted coefficients. The channel combine (h, g) which is utilized for decay is called examination At the channel bank and channel match which is utilized for recreation.

1.4.2 2D Discrete Wavelet Transform: A 1 dimensional DWT is simply extended to 2 dimensional transform, which can be used for the two dimensional pictures' transformation. By Using a 2-D array $A[i, j]$ (with i rows and j columns, where i & j are positive integers), a 2 dimensional digital image can be drawn. To accelerate low frequency and high frequency components of an image, a 1D DWT is performed on rows and then the same operation will be performed on columns. After all these operations the DWT square coefficients LL, LH, HL, HH, will be achieved and well known as sub-bands.

1.4.3 3D Discrete Wavelet Transform: The 3D DWT can be considered as a blend of three 1D DWT in the x , y and z directions. The preparatory work in the DWT processor outline is to build 1D DWT modules, which are made out of high-pass and low-pass channels that perform a convolution of channel coefficients and data pixels. After an one-level of 3D discrete wavelet change, the volume of picture is disintegrated into HHH, HHL, HLH, HLL, LHH, LHL, LLH and LLL signals.

1.4.4 Inverse Discrete Wavelet Transform: The inverse DWT (IDWT) is the computational reverse. The lowest low-pass and high pass data streams are up-sampled (ie. a zero is placed between each data-word) and then filtered using filters related to the decomposition filters. The two resulting streams are simply added together to form the low-pass result of the previous level of processing. This can be combined with the high pass result in a similar fashion to produce further levels, the process continuing until the original data-stream is reconstructed.

2.1 Types of Transforms:

2.1.1 Fourier Transform:

Fourier Transform is a very common mathematical tool to transform time-area signal to frequency-domain for effective separation of numbers and it's square reversible additionally though digit has a outstanding capability to seize alerts frequency content material as long as $x(t)$ consists of few work space bound additions (e.g. sine waves). However, any sudden exchange in time for non stationary sign $x(t)$ is spread out over the whole frequency axis in $x(f)$.

2.2.2 Short Time Fourier Transform:

Gabor introduced the initial concept of Short Time Fourier Transform (STFT) to overcome the limitations of the standard FT, The advantage of STFT is that it uses an arbitrary but fixed-length window $g(t)$ for analysis, over which the actual non-stationary signal is assumed to be approximately stationary.

3.1 DWT Implementation: Filters are generally used square measure to implemented signal process functions. The resolution of the signal, that may be a living of the quantity of detail data within the signal, is decided

In rippling analysis, a sign are often separated into approximations (Approx) or averages and detail coefficients. Averages square measure the high-scale and low frequency parts of the signal. The main points square measure the low scale, high frequency parts. If we have a tendency to perform forward modify on a digital signal. We will perform Inverse DWT once the filtering down sampling should be done.

4.1 Image Compression: An image (from latin word) or photo is an effect, commonly 2-dimentional, that has a comparable appearance to a few object or person image compression is minimizing the scale in bytes of data without degrading the first-class of the photograph to an appropriate degree. Therefore wishes to be reduced photograph compression offers with redundancy, the number of bits had to represent on image removing redundant records. Photograph compression is extensively categorized into two classes particularly lossy and lossless calculate on whether or not the authentic photograph may be recovered with fill mathematic precision from the compressed photo. Compression is the quality of digital picture processing lossless or lossy compression techniques can be carried out to hyper spectral image.

Lossy compression is based on the concept of putting subjective redundancy. Lossless compression is primarily based on powerful authentic image may be absolutely recovered in lossless picture compression. It is very beneficial to construct the significant transforms for the lossless photograph compression place which includes DWT and various colour area transforms. Now an afternoon the high compression was mounted in lossy compression approach is JPEG2000.

This is a high performance in compression technique developed with the combination of picture experts institution committee. The high compression turned into connected in lossy finds the highest top signal ratio (PSNR) and compression ratio. Compression ratio of PSNR values among the same set of print at very low bit .

4.2 Data Compression: DWT approximation unearths exceptional packages in statistics compression. In the same time the signal is sampled with the CWT is for the analysis of the indicators. The previous sampled samples is used in various domain names of laptop technological find and engineering disciplines. Wavelet transform return the transformation of the records are encoded, with making sure real compression. Compression is the procedure of encoding ,editing, or changing the bits structure of data. It enables reducing the storage size of 1 or more records Data compression is also referred to as source coding or bit-rate discount.

Data compression permits sending a data item or report quick over a network or the internet and in optimizing physical storage sources. Data compression has extensive implementation in computing services and solutions, in particular data communications. Information compression works via several compressing techniques and software answers that utilize data compression algorithms to lessen the statistics size. A common information compression approach eliminates and replaces repetitive data factors and logos to minimize the data length. Data compression for graphical statistics may be lossless compression or lossy compression, wherein the previous saves all replaces however keep all repetitive facts and the latter deletes all repetitive data.

Statistics compression is a manner by way of which the document length is reduced by re-encoding the record facts to apply fewer bits of storage than the authentic file. The unique record can then be recreated from the compressed representation the usage of a opposite process referred to as decompression. There are numerous distinct algorithms and implementations that allow you to compress your files, a number of which carry out higher than others for sure types of report sorts. This system that you could use would depend on the necessities, file type and availability of the software to your machine. There are especially two sorts of compressions, lossy and lossless.

6.1 Wavelet Based Lossless Compression of Image: Wavelet transform is popular in image compression especially because of its multiresolution and excessive strength compaction homes. Wavelet coding can be defined as a type of transform coding, using the wavelet transform instead of FFT or DCT. A plethora of wavelet transform based image coding schemes have been reported in various literature, where in Compression is accomplished by applying a wavelet transform to reduce correlation in the image data, quantizing the resulting transform coefficients and coding the quantized values.

In lossless photograph compression, the image may be reconstructed as within the original image. clinical pix, satellite TV for pc photographs and snap shots scanned from manuscripts for maintenance purposes normally demand lossless compression strategies. Some of the handiest techniques for lossless compression are linear predictive coding , differential pulse code modulation (DPCM) or entropy methods like the huffman coding, the mathematics coding [1], generic codes of elias, runlength coding, lossless predictive coding and the lempet-ziv , jpeg lossless photograph preferred (which makes use of prediction in addition to entropy based coding schemes).

However, those strategies produce a unmarried decision after transform, which retard the revolutionary transmission or recovery. The multiresolution nature of the wavelet remodel is also ideal for progressive transmission. Lossless schemes usually yield compression ratios of the order 2: 1 to 5: 1, depending on the picture facts.

Theoretically, the wavelet transformation component in lossy coding approach is taken into consideration lossless since the transformation is reversible mathematically. However, maximum alterations are lossy in exercise, due to the fact all computer systems have best finite precision, even supposing floating-point calculations are used.

METHODOLOGY: The lifting-based forward DWT/DWP splits the signal into even and odd parts at the first stage. On the final stage, the multiplication with the normalization factor takes place in order to conserve the energy. The inverse DWT/DWP performs exactly everything backwards. It starts with the multiplication with normalization factor, continues with a series of updaters and predictors, and finishes with the merging of the outputs. As a predictor and an updater perform a similar computation, the hardware architecture for both functions is exactly the same. count, we propose a novel wavelet processor which is based on M processing elements to cope with M lifting steps

Because of the character of the lifting scheme, wavelet filters that have longer lifting scheme representations can without problems be damaged down into smaller lifting steps that the processor can compute (i.e. m lifting steps every). This means that that the processor that implements m processing elements isn't always restrained to carry out the rework up to m lifting steps best.

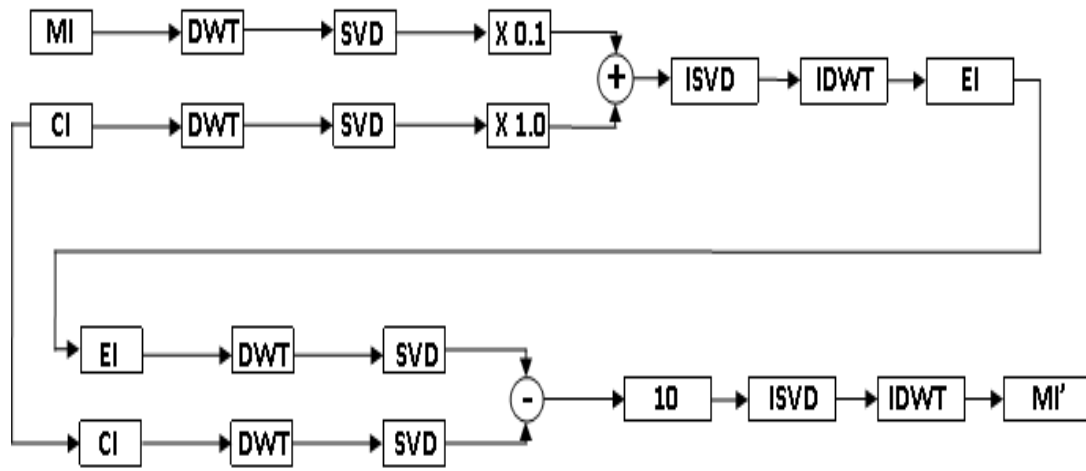


FIG 4.1: BASIC METHODOLOGY

IV. RESULTS AND DISCUSSION:

The initial block of the Discrete Wavelet Transform (DWT) block which is mainly used for the transformation of the image. In this process, the image will be transformed and hence the high pass coefficients and the low pass coefficients were generated. Since the operation of this DWT block has been discussed in the previous chapter, here the print of the simulation results were directly taken in to consideration and discussed. The results of the proposed method for medical image compression is discussed in this section. The aim of this method is to achieve the better performance results in terms of power, frequency and slices with less memory storage. This method is applied for the forward and inverse lifting DWT.

TABLE 5.1:

Cover Image	Sample Image	MSE	PSNR	BER	MAD
		3.23142	99.096	12.387	2.7467
		0.75801	113.69	14.1995	0.644312
		39.5478	74.050	9.25627	33.6156
		14.5623	84.040	10.5051	12.3779

The size of the image and pixel should be different then the values of the parameters is varies. All the images of above table PSNR value & BER value is higher to the all of the 3 tables.

The parameters of above table 5.1 MSE,PSNR,BER,MAD:

- 1.Highest Value of MSE is 39.5478.
- 2.Highest Value of PSNR is 113.69.
- 3.Highest Value of BER is 14.1995.
- 4.Highest Value of MAD is 33.6156.

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