FORECASTING OF POWER SYSTEM CONDITIONS FOR DIFFERENT LINE OUTAGES BY USING CONTINGENCY ANALYSIS

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Abstract-Now a days power system protection is an important task for an operating engineer, which can be done by doing online security assessment. Contingency analysis is one of the best methods to forecast the condition of power system if any unwanted event occured in the power system. To do contingency analysis first the operator has to know the parameters like voltage, power and voltage angle at each and every bus by doing load flow analysis on the system. Newton Raphson method is the best load flow method as it gives accurate results in less time. In this paper all line outage contingencies in a standard 6 bus and 5 bus power system has been done in MATLAB environment. For each line outage contingency, load flow analysis has been done on the system and the active power and voltage performance indices have been calculated. These two performance indices will give the idea about the change in active power flow through the lines and voltages at the buses for a particular line outage. Summation of these two indices will give the performance index value through which ranking of severity will be given to the lines. And from the load flow results comparison has been done between low rank and high rank line outage contingencies. This contingency analysis helps the operational engineer to know which line outage is dangerous to the system and what prior action is to be taken to minimize the effect of that particular line outage.

Keywords-contingency selection, newton raphson method, line outage, performance indices, overload.

I. INTRODUCTION

Contingency is expressed as an unwanted event occurring in the power system for a short duration of time, which actually specify the loss or outage of one or more components of power system [1]. At the time of outage of any component or equipment in the power system, contingency analysis shows an indication, of what might be the position of power system [2]. It is fundamentally a software application run in power management system, simulating a speculative test on a list of notional cases, which would create power flow, voltage or reactive power violations in the sytem. These cases are recognized and ranked in order of their severity using contingency ranking approach [3].

Generally contingency analysis is separated into three parts, contingency creation, selection, and evaluation [4], but now a days the selection and the evaluation both are doing in same section. Many work has been done on contingency selection mainly, whose aim is to reduce the indigenous long list of contingencies by selecting only the outages with severe limit violations [5]. This selection is seasoned by mainly two methods, i.e. contingency ranking and contingency screening. The screening methods are local solution based study, which primarily gives importance to the most dangerous cases for complete ac analysis, simultaneously the non-severe cases are deleted from the list [6]. Alternative method is ranking method, which uses performance index as a scalar value to narrate the effects of an outage on the whole system [7].

In this work, the effort has been given on contingency ranking. At starting the contingency list is formed, which contains those cases whose probability of getting outage is found to be high. The list, which is generally large, is translated into electrical network changes, mostly generator and/or line outages. Contingency evaluation using load flow is then carrying out on the following individual outages in decreasing order of severity. The activity will be remained up to the point where no post contingency violations are undergone.

II. CONTINGENCY ANALYSIS

A. Contingency creation:

It is the initial step of contingency analysis. It is made up of all set of viable contingencies that may happen in a power system. This process consists of making contingency lists.

B. Contingency selection:

It is the second step in contingency analysis; it is the process which includes finding of severe contingencies from all that may cause to violate bus voltages and power through lines. Here in this procedure contingency list is reduced by rejection of least severe contingency and taking into consideration of most severe outages. In this process the performance index has been used to find the most severe ones.

C. Contingency evaluation:

It is the third step and the most significant step as it includes necessary control and security actions which are required in order to reduce the effects of most severe contingencies in a power system.

III. UTILIZED LOAD FLOW METHOD

The Newton-Raphson method is the most useful method for load flow solutions because of its different advantages. It has dominant convergence characteristics compared to remaining load flow methods. And has less calculation. The Newton-Raphson method is benefit for large power system networks as because computer storage requirements are less and increases almost linearly with size of problem.

The following equations are used in N-R method to measure voltage, current, active power and reactive power at different buses.

The current injected at the bus m is

$$I_m = \sum_{l=1}^n Y_{ml} V_l \tag{1}$$

Where n is the number of buses in the system.

 Y_{ml} is the admittance between lines m and l.

 V_l is the voltage at bus l.

In polar form we can write equation 1 as

$$I_m = \sum_{l=1}^n |Y_{ml}| |V_l| \angle \theta_{ml} + \delta_l$$
⁽²⁾

Where θ_{ml} is the admittance angle between lines m and l.

 δ_l is the voltage angle of bus l.

We can write current in terms of active and reactive power

$$I_m = \frac{P_m - jQ_m}{V_m^*} \tag{3}$$

Where P_m is the active power injected into the system from bus m.

 Q_m is the reactive power injected into the system from bus m.

 V_m is the voltage magnitude at bus m.

After substitution of I_m value in equation 3 we can get

$$P_m - JQ_m = |V_m| \angle -\delta_m \sum_{l=1}^n |Y_{ml}| |V_l| \angle \theta_{ml} + \delta_l \quad (4)$$

By separating real and imaginary terms, we get

$$P_m = \sum_{l=1}^n |Y_{ml}| |V_l| |V_m| \cos(\theta_{ml} - \delta_m + \delta_l)$$
(5)
$$Q_m = \sum_{l=1}^n |Y_{ml}| |V_l| |V_m| \sin(\theta_{ml} - \delta_m + \delta_l)$$
(6)

By neglecting higher order terms if we expand equation 5 and 6 by using Taylor's series we will get

$$\begin{bmatrix} \Delta P_{2}^{K} \\ \vdots \\ \Delta P_{n}^{K} \\ \vdots \\ \Delta Q_{n}^{K} \end{bmatrix} = \begin{bmatrix} \begin{pmatrix} \frac{\partial P_{2}^{K}}{\partial \delta_{2}^{K}} & \cdots & \frac{\partial P_{2}^{K}}{\partial \delta_{n}^{K}} \\ \vdots & \ddots & \vdots \\ \frac{\partial P_{n}^{K}}{\partial \delta_{2}^{K}} & \cdots & \frac{\partial P_{n}^{K}}{\partial \delta_{n}^{K}} \end{pmatrix} \begin{pmatrix} \frac{\partial P_{2}^{K}}{\partial |V_{2}|^{K}} & \cdots & \frac{\partial P_{2}^{K}}{\partial |V_{n}|^{K}} \\ \vdots & \ddots & \vdots \\ \frac{\partial P_{n}^{K}}{\partial \delta_{2}^{K}} & \cdots & \frac{\partial Q_{n}^{K}}{\partial \delta_{n}^{K}} \end{pmatrix} \begin{pmatrix} \frac{\partial Q_{2}^{K}}{\partial |V_{2}|^{K}} & \cdots & \frac{\partial P_{n}^{K}}{\partial |V_{n}|^{K}} \\ \vdots & \ddots & \vdots \\ \frac{\partial Q_{n}^{K}}{\partial \delta_{2}^{K}} & \cdots & \frac{\partial Q_{n}^{K}}{\partial \delta_{n}^{K}} \end{pmatrix} \begin{pmatrix} \frac{\partial Q_{2}^{K}}{\partial |V_{2}|^{K}} & \cdots & \frac{\partial Q_{n}^{K}}{\partial |V_{n}|^{K}} \\ \vdots & \ddots & \vdots \\ \frac{\partial Q_{n}^{K}}{\partial \delta_{2}^{K}} & \cdots & \frac{\partial Q_{n}^{K}}{\partial \delta_{n}^{K}} \end{pmatrix} \begin{pmatrix} \frac{\partial Q_{2}^{K}}{\partial |V_{2}|^{K}} & \cdots & \frac{\partial Q_{n}^{K}}{\partial |V_{n}|^{K}} \\ \vdots & \ddots & \vdots \\ \frac{\partial Q_{n}^{K}}{\partial \delta_{2}^{K}} & \cdots & \frac{\partial Q_{n}^{K}}{\partial \delta_{n}^{K}} \end{pmatrix} \begin{pmatrix} \frac{\partial Q_{2}^{K}}{\partial |V_{2}|^{K}} & \cdots & \frac{\partial Q_{n}^{K}}{\partial |V_{n}|^{K}} \\ \frac{\partial Q_{n}^{K}}{\partial |V_{n}|^{K}} \end{pmatrix}$$
(7)

The jacobian matrix will give the linear relationship between small changes in the angle $\Delta \delta_i^k$ and change in bus voltage ΔV_i^k with small variations in real power and reactive power ΔP_i^k and ΔQ_i^k

$$\begin{pmatrix} \Delta P \\ \Delta Q \end{pmatrix} = \begin{pmatrix} J_1 & J_2 \\ J_3 & J_4 \end{pmatrix} \begin{pmatrix} \Delta \delta \\ \Delta |V| \end{pmatrix}$$
(8)

The diagonal and off diagonal elements of J1 are

$$\frac{\partial P_m}{\partial \delta_m} = \sum_{l \neq m} |V_m| |V_l| |Y_{lm}| \sin(\theta_{ml} - \delta_m + \delta_l) \quad (9)$$

$$\frac{\partial P_m}{\partial \delta_m} = -|V_m| |V_l| |Y_{ml}| \sin(\theta_{ml} - \delta_m + \delta_l), l \neq m \quad (10)$$

The power residuals ΔP_i^k , ΔQ_i^k can be written as

$$\Delta \mathbf{P}_{m}^{K} = P_{m}^{sch} - P_{m}^{K}$$
(11)
$$\Delta Q_{m}^{K} = Q_{m}^{sch} - Q_{m}^{K}$$

Where P_m^{sch} is the scheduled active power at bus m.

 Q_m^{sch} is the scheduled reactive power at bus m.

From the power residuals and jacobian matrix we can get the voltage magnitude $|V_m^k|$ and voltage angle δ_m^k . The new values of voltages and angles are

$$\left|V_{m}^{(K+1)}\right| = \left|V_{m}^{K}\right| + \Delta \left|V_{m}^{K}\right| \qquad (12)$$

$$\delta_m^{(K+1)} = \delta_m^K + \Delta \delta_m^K \qquad (13)$$

IV. SYSTEM PERFORMANCE INDEX

The deviation of power system variables like bus voltages, power flows, from its rated value is measured by the system performance index. It is also used to evaluate the relative stability of a contingency [8].

- A. Voltage performance index (PI_V)
- B. Active power performance $index(PI_{MW})$

A. Voltage performance index (PI_V):

The power system deficiency due to violation of bus voltages is described by the voltage performance index [2].

$$\boldsymbol{P}\boldsymbol{I}_{V} = \sum_{i=1}^{n} \left(\frac{W}{2z}\right) \left\{ \frac{\left(\left|V_{i}\right| - \left|V_{i}^{sp}\right|\right)}{\Delta V_{i}^{\lim}} \right\}^{2z}$$
(14)

Where $|V_i|$ is the ith bus voltage magnitude.

 V_i^{sp} is the ith bus specified voltage magnitude.

 ΔV_i^{lim} is the voltage deviation limit which we can measure by taking average value of minimum and maximum allowable voltages at bus i.

z is exponent of the penalty function and value is (=1)

n is the number of buses in the given power system.

W is the real non negative weighting facto and value is

Here to calculate ΔV_l^{lim} maximum voltage limit is 1.05 p.u and minimum voltage limit is 0.95 p.u since ±5% deviation in voltage is allowed. This voltage performance index will give the information about the change in voltage at each and every bus.

B. Active power performance index (PI_{MW}):

For identify the power overflows through the transmission lines the indices used is active power performance index[9].

$$\boldsymbol{P}\boldsymbol{I}_{MW} = \sum_{l=1}^{N_L} \left(\frac{W}{2z}\right) \left(\frac{P_l}{P_l^{\max}}\right)^{2z}$$
(15)

Where,

(=1)

 P_l is the power flow (MW) through the line l

 P_l^{max} is the maximum capacity of power flow through the line 1

 N_L is the number of the transmission lines of the power system W is the real non-negative weighting facto and value is (=1) z is exponent of penalty function and value is (=1)

$$P_l^{\max} = \frac{V_i * V_j}{X} \tag{16}$$

Where V_i is the voltage at bus i.

 V_j is the voltage at bus j.

X is the reactance of the line between bus i and bus j.

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V. TEST CASES

To perform contingency analysis, two IEEE standard test cases are considered. Test case 1 is IEEE standard 6 bus system and test case 2 is IEEE standard 5 bus system. **Test case 1: 6 BUS SYSTEM**

Table 1 SYSTEM DATA

FROM BUS	TO BUS	R(p.u)	X(p.u)	B/2(p.u)	CAPACITY (MW)
1	2	0.1	0.2	0.02	30
1	4	0.05	0.2	0.02	50
1	5	0.08	0.3	0.03	40
2	3	0.05	0.25	0.03	20
2	4	0.05	0.1	0.01	40
2	5	0.1	0.3	0.02	20
2	6	0.07	0.2	0.025	30
3	5	0.12	0.26	0.025	20
3	6	0.02	0.1	0.01	60
4	5	0.2	0.4	0.04	20
5	6	0.1	0.3	0.03	20

For analysis IEEE standard 6 bus system [10] is considered. bus1 is slack bus, 2, 3 buses are generator and 4, 5, and 6 are load buses. At healthy condition all transmission lines carries the power within limits as shown below.

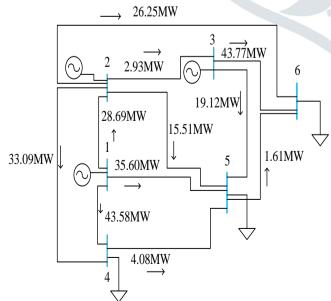


Figure 1 Six-bus network base case AC power flow

Now for each line outage the load flow method has been carried out and the active power performance index and voltage performance index has been calculated using equations 14 and 15. The ranking has been given based on the Performance Index $\left(P.I\right)$.

Tripped	PIv	PI _{MW}	PI	Rank
line				
1-2	0.9490	0.0455	0.9865	10
1-4	1.1745	0.0561	1.2306	3
1-5	1.0833	0.0511	1.1344	5
2-3	0.9440	0.0338	0.9778	11
2-4	2.0635	0.05	2.1135	2
2-5	1.0592	0.0384	1.0976	6
2-6	0.9814	0.0396	1.021	7
3-5	1.1322	0.0421	1.1743	4
3-6	2.2195	0.0811	2.3006	1
4-5	0.9593	0.0344	0.9937	9
5-6	0.9756	0.0335	1.0091	8

From the above table it is seen that the outage of line 3-6 is dangerous compare to remaining line outages. Now by doing outage of line 3-5, 3-6 individually, the observation has been done how line 3-6 is very danger than outage of line 3-5.

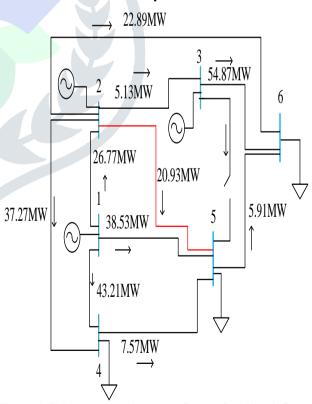


Figure 2 Six bus network power flows after line 3-5 gets tripped

From figure 2 it is found that with outage of line 3-5 the only one line 2-5 is overloaded (red line) and remaining all lines are in healthy condition.

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Table 3 Percentage of overload of power through the lines after line 3-5 gets tripped.

Tripped line		Overloaded line		
From	То	From	То	Percentage
3	5	2	5	5%

Instead of carrying 15.51 MW, the line 2-5 is carrying 20.93 MW which is 5% more than its maximum capacity 20 MW.

Now coming to voltages at all the buses, before contingency all the bus voltages are within the limits that is between 0.95 and 1.05p.u. After outage of line 3-5 it is observed that the voltage at bus 5 becomes 0.9537p.u. which is 0.9854p.u at pre contingency state, remaining all buses have nearly the same voltage at both pre and post contingency which is shown in table 4. From table 4 it is observed that after contingency the voltage is within limit at each bus.

Table 4 pre contingency and post contingency state bus voltages for the line outage (3-5)

Bus no	Pre	Post
	Contingency Voltage	Contingency Voltage(p.u)
	(p.u)	
1	1.05	1.05
2	1.05	1.05
3	1.07	1.07
4	0.9894	0.9845
5	0.9854	0.9537
6	1.0044	0.9991

Now the line 3-6 which is having first rank from the performance index has been taken out to see the effect of outage of that line on the system.

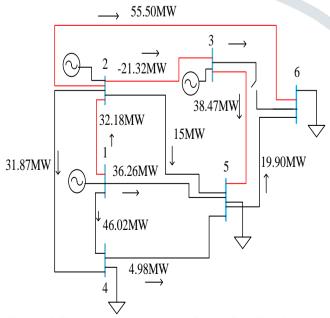


Figure 3 Six bus network power flows after line 3-6 gets tripped

From figure 3 it is seen that the outage of line 3-6 which got first rank from the indices 4 lines are getting overloaded (red lines) which leads to cascade tripping of lines and total system blackout.

Table 5 Percentage of overload of power through	the
lines after the line 3-6 gets tripped	

9	11
Over loaded	Percentage of
lines	overload
1-2	7.26
2-3	6.6
2-6	85
3-5	92.35
	Over loaded lines 1-2 2-3 2-6

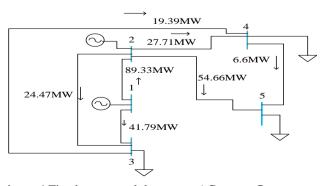
From table 5 it is observed that the line 3-5 is carrying 92.35% more than its rated capacity. Because of this huge overload this line also get tripped which is same as open circuit fault of on the power system. Then the remaining lines have to take responsibility to carry the power which is very higher than their rated capacity. So all lines will get tripped and it leads to total power system blackout. The table 6 shows the pre and post contingency voltages at the buses.

Table 6 pre	contingency	and post	contingency s	state bus
	voltages for t	he line ou	utage (3-6)	

Bus no	Pre-	Post-contingency
	contingency	voltage(p.u)
23	voltage(p.u)	
1	1.05	1.05
2	1.05	1.05
3	1.07	1.07
4	0.9845	0.9854
5	0.9537	0.9574
6	0.9991	0.8898

From the table 6 it is observed that all the buses have voltages within the limits i.e. from 0.95 to 1.05 except bus 6. Because of outage of line 3-6 the bus 6 is getting very low voltage 0.8898p.u.This situation is not reported when the line 3-5 gets outage from the system as after the line 3-5 gets tripped from system all the bus voltages are within the limits. So the performance index method is the reliable method in finding the severe line outages in the power system.

Test case 2: 5BUS SYSTEM



igure 4 Five bus network base case AC power flow IEEE standard 5 bus system[11]. Bus 1 is slack bus, 2 is generator bus, remaining all buses are load buses.

F

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Table 7 Ranking of the lines

Tripped line	PIv	PI _{MW}	PI	Rank
1-2	2.4588	0.1386	2.5974	2
1-3	3.2521	0.0276	3.2797	1
2-3	2.2540	0.0295	2.2835	5
2-4	2.3784	0.0293	2.4077	3
2-5	2.0784	0.0811	2.1595	7
3-4	2.2836	0.0235	2.3071	4
4-5	2.1436	0.023	2.1666	6

From the results given in table 7 it is seen that the tripping of line 1-3 is severe compare to other trippings. After doing contingency analysis of all line outages it is observed that the outage of line 1-2 (having second rank) results into heavy loading on line 2-3, as this line is connected to slack bus and it is carrying 89.33 MW which is huge power transfer in that system. So the tripping of the line which is connected to slack bus with high power transfer is very dangerous outage in the system.

Table 8 Pre and Post contingency powerflows

LINE			Outage(1-2)	Outage(1-3)		
From	То	Pre Contingency power(MW)	Post contingency power(MW)	Post contingency Power(MW)	Maximum power (MW)	
1	2	89.33	0	132.87	155	
1	3	41.79	141.63	0	110	
2	3	24.47	15.2	43.4	95	
2	4	27.71	3.94	42.99	95	
2	5	54.66	39.14	62.58	95	
3	4	19.39	66.61	2.79	95	[
4	5	6.6	21.99	0.96	95	

In the normal state, transmission line connecting bus 1 to 2 is the busiest line with carrying load of 89.33MW. Outage of such a line usually forces adjacent lines to reach their maximum capacity limits. The generator at bus 1 has to ramp down by 141.63-110=31.63MW. Because the emergency power carrying capacity of line 1-3 connected to generator 1 is 110MW.

VI. CONCLUSION

To give the contingency ranking, performance index has been used as a measuring tool. Newton Raphson power flow method is found most appropriate method in the approach of contingency selection, as it played a vital role in rejecting the large number of contingency cases and concentrated on the most severe contingency case. From the results, it is seen that

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the calculation of performance indices gives a good measure of the cases, which has the highest potential to form the system parameters to go beyond their limits, calculation of PI are also obtained for the sake of increase in the accuracy of the sorting and ranking technique of the contingency analysis process.

VII. FUTURE SCOPE

From the above one can judge the state of power system if any equipment gets outage from the system. So by forecasting the effect of any outage, the operator come to know the prior action what should be done for the particular outage. Especially at this condition "FACT" devices will help to control the power flow and to maintain good voltage profile at each and every bus. TCSC will be used to control the power flow through the lines which is getting overloaded and STATCOM, SVC will be used to maintain good voltage profile by giving reactive power or by taking reactive power from the bus. So we can extend this work by placing "FACT" devices in our system.

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