

Dual-Mode Control of AC/VSC -HVDC Hybrid Transmission Systems with Wind Power Integrated

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Abstract— This paper proposes a novel dual-mode control scheme for the control of an ac/voltage-source converter (VSC)-HVDC hybrid transmission system with the wind farm connected. First, a novel voltage and phase-angle control scheme is designed for the active power control of the wind farm side voltage-source converter (WFVSC) such that the switching of control schemes of WFVSC is no longer required when the ac lines are switched on or off the transmission system. This results in the proposed dual-mode control scheme being able to accommodate different operation modes of the ac/dc hybrid transmission systems. Second, an improved direct-current vector control scheme has been designed for the control of grid-side VSC (GVSC) to provide better control of the dc voltage of the GVSC. Moreover, simulation studies have been undertaken on a two-terminal VSC -HVDC and an ac hybrid transmission system under a variety of operating conditions, which have validated the feasibility performance of the proposed control scheme.

Index Terms—AC/DC hybrid transmission, voltage-source converter-high-voltage dc transmission (VSC-HVDC) control, wind power transmission.

I. INTRODUCTION

Conventional energy sources, such as fossil fuels, are nonrenewable and air polluted. Power generation depending on the renewable energy is developing rapidly these days, among which wind power is the leading one. The application of wind energy, especially offshore wind energy, is a keystone policy of many countries for their re-newable energy development goals [1]. Construction of the large-scale wind farm has become a trend and the capacity of the single wind farm has exceeded hundreds of megawatts. These large-scale wind farms are connected to the main power grid via high-voltage (HV) transmission systems [2], [3]. There are three options for the connection of large-scale wind farms: 1) the high-voltage ac (HVAC) transmission; 2) high-voltage dc (HVDC) transmission; and 3) HVAC and HVDC hybrid transmission. Among the HVDC techniques, the voltage-source-converter (VSC)-based HVDC (VSC-HVDC) technology using the insulated-gate bipolar transistor (IGBT) is especially promising for connecting large wind farms to the ac grids [4], which can be attributed to its advantages, such as the independent control of the active power and the reactive power, low requirements for inverter-side power sources, and relatively low costs [5]–[8]. The first VSC-HVDC transmission project for wind farm connection called BorWin 1 was commissioned in 2010 in Germany. The first commercial project of the VSC-HVDC connected wind farm in China was commissioned in 2011. In December 2013, the first multiterminal VSC-HVDC transmission demonstration project in China was put into operation through which two wind farms on Nanao Island of the Guangdong province were connected to the main grid. In this project, an 110-kV ac line connecting the ac networks of the island and the main land already existed. Thus, it forms an ac/VSC-HVDC hybrid transmission system. Due to the development of the VSC-HVDC techniques in coastal cities, the ac/VSC-HVDC hybrid transmission systems will be increasingly popular in the future, especially in case of connecting the isolated small grid implemented with large wind plants and small capacity local loads to the main grid.

Traditionally, the nested-loop d-q vector PI control scheme is employed for the control of VSC-HVDC system to achieve constant active power, constant direct voltage, constant reactive power or constant ac voltage [9], [10].

However, the above control scheme is no longer feasible for the ac/VSC-HVDC hybrid transmission system connected to wind farm, because there are two totally different operation modes involved in such a system. The first mode is the parallel operation mode known as synchronous mode as well, in which the ac transmission lines run in parallel with the HVDC transmission lines. Concerning the control of the VSC-HVDC operating in this mode, the constant active power, constant direct voltage, constant reactive power, or constant voltage-control schemes are usually adopted. Besides, the converter and inverter can sense and follow the ac power system frequency in this operation mode. But in case of ac line fault or maintenance, a different operation mode, a simplex mode that is also known as asynchronous mode, may emerge. In this mode, the ac grids located at two terminals of the VSC-HVDC transmission system operate in an asynchronous manner. Meanwhile, if the wind farms and the synchronous generators in the sending end of the transmission system exist, the VSC-HVDC converter should be controlled such that its frequency follows the ac system and its active power follows the wind power variation. Nevertheless, if there are only doubly-fed induction wind generators (DFIG) or direct-drive wind generators in the power sending grid, the VSC-HVDC converter has to set the reference frequency by itself and follows the active power variation of the wind farms.

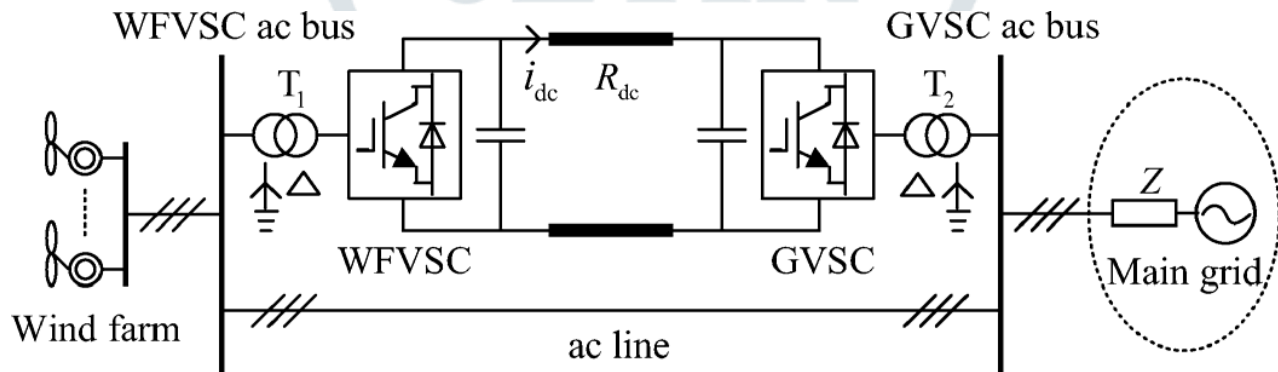


Fig. 1. Configuration of the wind farm grid connection via VSC-HVDC and ac hybrid transmission.

However, as far as the existing research is concerned, there is no VSC-HVDC control scheme that can adapt to the afore-mentioned two operation modes without switching control strategies.

Concerning the case of asynchronous connection with synchronous generators implemented in the sending-end of VSC-HVDC system, the active power-frequency adjusting scheme has been studied in [11] where the VSC-HVDC active power is adjusted based on the frequency deviation of the sending-end bus. Apparently, this control scheme cannot work in the situation in that only DFIGs are installed in the sending end of the transmission system [12]. Another control scheme employed in this situation is realized through setting the voltage amplitude and frequency of the ac bus of WFVSC to be constant. Consequently, the WFVSC ac bus is controlled to simulate an infinite bus, such that the active power transmitted by WFVSC is controlled to follow the wind power variations. But this control scheme can neither deal with the case of parallel operation nor the simplex operation mode of the ac/VSC-HVDC hybrid transmission system with synchronous generators existing in the sending end of the transmission system.

Therefore, in the ac/VSC-HVDC hybrid transmission system, switching of the VSC-HVDC control schemes according to the operation mode of the ac/VSC-HVDC hybrid transmission system has to be designed and this may greatly deteriorate the system reliability.

In this paper, a more flexible VSC-HVDC control scheme called dual-mode control is proposed. A new ac voltage and phase-angle control scheme is designed for the control of WFVSC and an improved direct-current vector control scheme is proposed for the control of GVSC. More important, it requires no control scheme switching of WFVSC for the wind farm-grid connection via the ac/dc hybrid transmission system. The proposed control scheme is tested in an ac/dc hybrid transmission simulation system under various operation conditions. Simulation results are presented to show the validity and advantage of the control scheme.

This paper is organized as follows. Section II gives a brief introduction of the VSC-HVDC models. In Section III, the proposed control scheme for WFVSC is introduced in detail and analyzed. In Section IV, the controller design for GVSC is introduced. Section V presented the simulation studies and conclusions are given in Section VI.

II. INTRODUCTION OF THE VSC-HVDC MODEL

A simplified system, where a wind farm is connected to the main grid through a VSC-HVDC transmission system and an ac transmission line that runs in parallel, is presented in Fig. 1. The

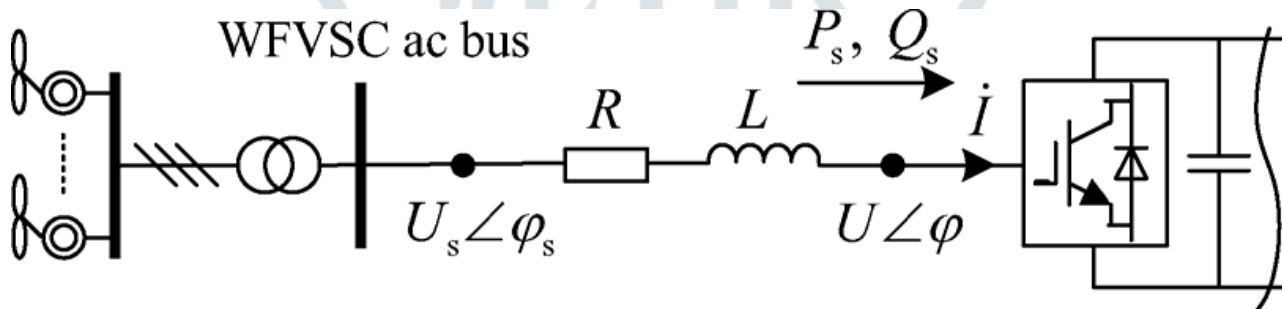


Fig. 2. WFVSC wind farm connection.

wind farm is composed of DFIGs. The WFVSC and the GVSC are connected to their ac buses via link transformers. And the dc cable is adopted as the dc line.

The models of the DFIG and its control system have been introduced in detail in [13]–[16] and will not be discussed here. The models of VSC-HVDC converters, that is, the WFVSC and the GVSC, are identical and are presented under the – reference frame as follows:

$$\begin{cases} L \frac{di_d}{dt} = u_{sd} - u_d - Ri_d - \omega Li_q \\ L \frac{di_q}{dt} = u_{sq} - u_q - Ri_q + \omega Li_d \\ \frac{2}{3}C \frac{dU_{dc}}{dt} = s_d i_d + s_q i_q - \frac{2}{3}i_{dc} \end{cases} \quad (1)$$

where and are the equivalent resistance and inductance of the link transformer, respectively. represents the capacitor installed on the VSC dc buses and is the direct voltage. , , , and are the -axis and -axis voltage components of the station ac bus and of the VSC ac side, respectively. and represent the -axis and -axis components of the bridge switch variables. and are the -axis and -axis current components which flow into the VSC. is the dc.

Concerning the control of GVSC, the constant dc voltage-control scheme is commonly adopted to maintain the active power transmission balance. Meanwhile, constant power factor or constant ac voltage control can be selected according to the requirement of the system reactive power balance.

However, the control of WFVSC is quite different from the control of GVSC. If there is an ac connection between the GVSC and the WFVSC, then the WFVSC usually selects con-stant ac voltage magnitude and constant active power control. However, this conventional scheme cannot accommodate the asynchronous transmission mode.

A novel dual-mode control scheme is therefore proposed. The design of the control strategies for the WFVSC and GVSC is presented in detail in Sections III and IV.

III. DUAL-MODE CONTROL FOR THE WFVSC

A. Phase-Angle-Based Active Power Control

Concerning the WFVSC, a simplified structure is shown in Fig. 2, where U_s and U indicate the voltage amplitude of the WFVSC ac bus and that of the VSC ac side, respectively.

Traditionally, the nested-loop – vector control is adopted where the d axis is aligned with the VSC ac bus voltage U . The phase relationship between U_s and U is shown in Fig. 3.

With the d axis aligned with U , the active power P_s and reactive power Q_s represented in the synchronously rotating $d-q$ frame are given by (2) with the power loss of the VSC neglected

$$\begin{cases} P_s = \frac{3}{2} u_{sd} i_d = U_{dc} \left(C \frac{dU_{dc}}{dt} + i_{dc} \right) \\ Q_s = \frac{3}{2} u_{sd} i_q \end{cases} \quad (2)$$

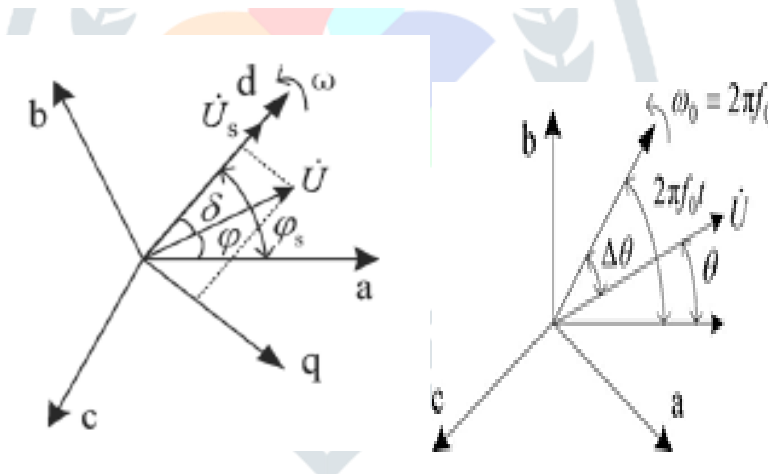


Fig. 3. Voltage and phase relationship. Fig. 4. Illustration of the phase-angle adjustment.



Fig. 5. Active power controller (APC).

According to (2), if ω is constant, the control of P_s and Q_s can be achieved by controlling i_d and i_q independently, that is, the d-axis current i_d and the q-axis current can be controlled i_q according to the error of active power and reactive power transferred to the dc system. Then, they are transformed to voltage and according to (1). In the proposed dual-mode control scheme, direct control of the VSC ac-side voltage is designed for the WFVSC. First, an asynchronously rotating vector with frequency ω is generated by the controller's inner clock. This vector is taken as the rotating reference vector. Define a static reference vector and the phase angle between the rotating reference vector and the static reference vector is equal to θ . Then, the active power transmitted via WFVSC can be controlled by adjusting the phase angle between \vec{U}_s and the static reference vector as presented in Fig. 4. Meanwhile, the adjustment angle between \vec{U}_s and the rotating reference vector meets.

$$\theta = 2\pi f_0 t - \Delta\theta.$$

The active power control (APC) of the proposed WFVSC dual-mode control scheme is designed as shown in Fig. 5, where the adjustment angle is generated by an integrator based on the error between reference active power and actual active power transmitted by WFVSC. Then, the model of the APC can be denoted as

$$\dot{\theta} = \frac{K}{T}(P_{VSC} - P_{ref}) + 2\pi f_0 = 2\pi f \tag{3}$$

where θ is the phase angle of \vec{U}_s referred to as the static reference vector and f_0 is the frequency of \vec{U}_s . The question, concerning why this control scheme can work in the synchronous connection mode and the asynchronous connection mode of the ac/dc hybrid transmission system, is discussed as follows.

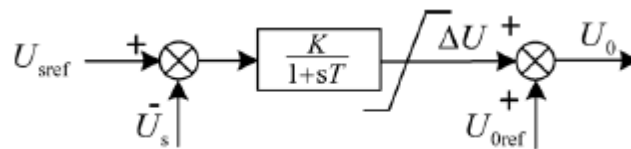


Fig. 6. AC voltage amplitude controller (AVAC).

When wind farms are connected to the power grid by ac/dc hybrid transmission and the actual frequency of the ac system is f_1 , then in the steady state, the active power transmitted via VSC-HVDC will be controlled to the reference value P_{ref} and ΔU equals zero. Meanwhile, the fluctuation of the active power of wind farm will be totally transmitted through the ac lines. If the actual frequency of the ac system is f_1 and substituting into (3), then the active power transmitted via VSC-HVDC will be controlled to the following value:

$$P_{VSC} = P_{ref} + \frac{2\pi T(f_1 - f_0)}{K} \tag{4}$$

Moreover, the frequency of f_1 will automatically be stabilized at f_0 . The remaining part of the wind power fluctuation will be held by the ac lines. If the wind farm is connected to the power grid only by the VSC-HVDC transmission system, then the active power transmitted via VSC-HVDC equals the wind power P_w in the steady state. Substitute P_w into (3) and the frequency f_1 and phase angle θ of the wind farm side system will be settled by the APC to the following values:

$$f = f_0 - \frac{K(P_{ref} - P_w)}{(2\pi T)} \tag{5}$$

$$\theta = 2\pi ft = 2\pi \left[f_0 - \frac{K(P_{ref} - P_w)}{(2\pi T)} \right] t. \tag{6}$$

From (5), when the wind power is greater than the reference value, the frequency of the sending-end system will increase. Otherwise, the frequency of the sending-end system will de-crease. We could properly choose the value to restrain the operation frequency bias into an allowable range. According to the aforementioned analysis, the proposed dual-mode control scheme can adapt to different operation modes of the ac/VSC-HVDC transmission system without switching between different control strategies.

B. Voltage Amplitude Control of the Wfvsc

Besides the active power control, the control of reactive power is another key issue. The voltage amplitude of the Wfvsc ac bus should be controlled to an allowable level. In order to achieve this goal, the amplitude of is controlled according to Fig. 6, where is the given reference value of , and is the given reference value of . In the simulation tests of the VSC-HVDC system equipped with the Wfvsc controller, we have observed postfault small active power oscillations at the wind farm side of the system that lacks damping. The following small-signal analysis of the transfer function between and explains the cause. In the system with wind farm connecting to the Wfvsc shown in Fig. 2, denotes the phase angle between and . In the synchronously rotating – frame with the axis being aligned with voltage , the instantaneous active power deviation is given by

$$\Delta P = \begin{bmatrix} I_{d0} \\ I_{q0} \end{bmatrix}^T \begin{bmatrix} \Delta u_d \\ \Delta u_q \end{bmatrix} + \begin{bmatrix} U_{d0} \\ U_{q0} \end{bmatrix}^T \begin{bmatrix} \Delta i_d \\ \Delta i_q \end{bmatrix} \tag{7}$$

where

$$\begin{cases} U_{d0} = U_0 \cos \delta_0 \\ U_{q0} = U_0 \sin \delta_0 \end{cases} \tag{8}$$

$$\begin{cases} I_{d0} = \frac{U_0 \sin \delta_0}{\omega L} \\ I_{q0} = \frac{U_{s0} - U_0 \cos \delta_0}{\omega L} \end{cases} \tag{9}$$

Neglecting the variance of the voltage amplitude, then we have

$$\begin{cases} \Delta u_d = -U_0 \sin \delta_0 \Delta \delta \\ \Delta u_q = U_0 \cos \delta_0 \Delta \delta \end{cases} \tag{10}$$

According to (1), the model of Wfvsc can be rewritten as

$$\begin{cases} L \frac{di_d}{dt} = U_s - U \cos \delta - Ri_d - \omega Li_q \\ L \frac{di_q}{dt} = -U \sin \delta - Ri_q + \omega Li_d \end{cases} \quad (11)$$

So the small-signal deviation of i_d, i_q toward $\Delta\delta$ from the operating points can be obtained

$$\begin{cases} L \frac{d\Delta i_d}{dt} = U_0 \sin \delta_0 \Delta\delta - R\Delta i_d - \omega L\Delta i_q \\ L \frac{d\Delta i_q}{dt} = -U_0 \cos \delta_0 \Delta\delta - R\Delta i_q + \omega L\Delta i_d \end{cases} \quad (12)$$

Applying the Laplace transform to (12), we obtain

$$\begin{cases} \Delta i_d = U_0 \frac{\omega L \cos \delta_0 + (sL+R) \sin \delta_0}{(sL+R)^2 + (\omega L)^2} \Delta\delta \\ \Delta i_q = U_0 \frac{\omega L \sin \delta_0 - (sL+R) \cos \delta_0}{(sL+R)^2 + (\omega L)^2} \Delta\delta \end{cases} \quad (13)$$

Substituting (8), (9), (10), and (13) into (7), the transfer function between the active power and power angle is obtained

$$\Delta P = \frac{as^2 + bs + c}{(sL + R)^2 + (\omega L)^2} \Delta\delta \quad (14)$$

where

$$\begin{cases} a = \frac{L}{\omega} (U_{s0} U_0 \cos \delta_0 - U_0^2) \\ b = \frac{2R}{\omega} (U_{s0} U_0 \cos \delta_0 - U_0^2) \\ c = \omega L U_{s0} U_0 \cos \delta_0 + \frac{R^2}{\omega L} (U_{s0} U_0 \cos \delta_0 - U_0^2) \end{cases} \quad (15)$$

The dashed lines in Fig. 7(a) and (b) show the Bode diagrams of the transfer function (14). There is a resonance point with frequency near 0.1 Hz which may be the cause of the active power oscillation observed in the simulation tests.

In order to improve the performance of the control system, a negative current feedback link is added to the voltage amplitude control loop which plays the damping function. This feedback block changes the voltage amplitude of the VSC side by the following equation:

$$\begin{cases} U = U_0 - G(s)I \\ G(s) = \frac{Ks}{s+\lambda} \end{cases} \quad (16)$$

where is a high-pass filter and its parameters are sett as $K=0.5, \lambda = 50$.

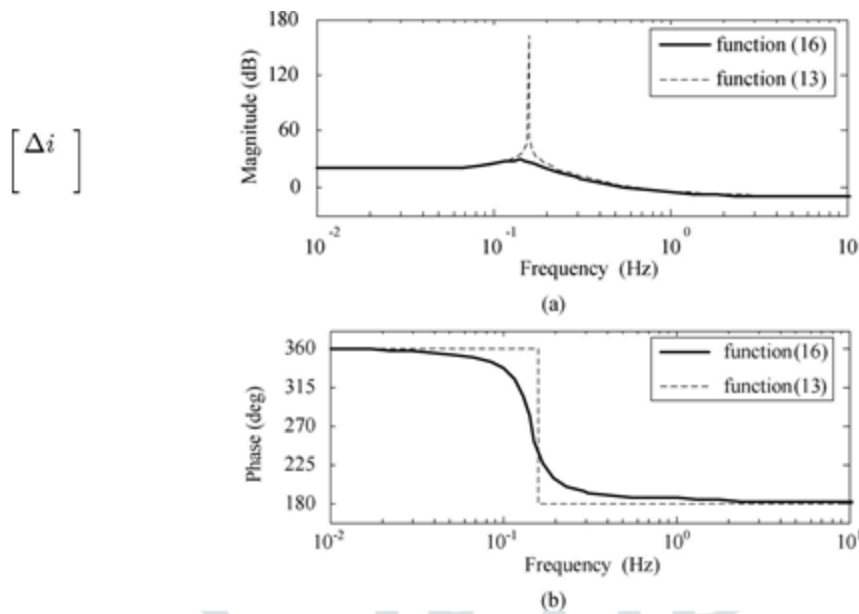


Fig. 7. Bode diagrams of the transfer function between active power and power (11) angle obtained with and without the current feedback loop. (a) Magnitude and frequency. (b) Phase and frequency.

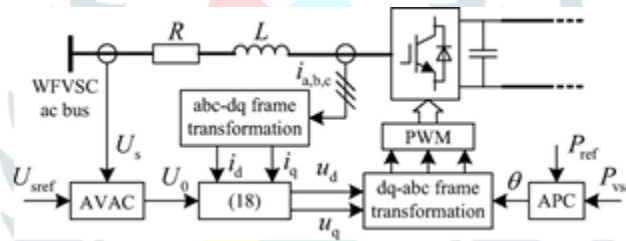


Fig. 8. Schematic of the control system of the WFVSC.

By applying the voltage-control block in (16), the transfer function between the active power and power angle is revised

$$\Delta P = \frac{as^2 + bs + c}{(sL + R + G(s))^2 + (\omega L)^2} \Delta \delta \tag{17}$$

where

$$\begin{cases} a = \frac{L}{\omega} (U_{s0} U_0 \cos \delta_0 - U_0^2) \\ b = \frac{2[R + G(s)]}{\omega} (U_{s0} U_0 \cos \delta_0 - U_0^2) \\ c = \omega L U_{s0} U_0 \cos \delta_0 + \frac{[R + G(s)]^2}{\omega L} (U_{s0} U_0 \cos \delta_0 - U_0^2) \end{cases} \tag{18}$$

The Bode diagrams of transfer function (17) are also shown in Fig. 7 by the solid line. It can be seen that the frequency resonance is eliminated by the high-pass filter thanks to its damping effect. Thus, the entire voltage-control block diagram of the WFVSC is shown in Fig. 8, where the negative current feedback block is realized according to (19). Simulation tests show that the active power oscillation is no longer observed by applying this improved control scheme

$$\begin{cases} U_d = U_0 - G(s) i_d \\ U_q = -G(s) i_q \end{cases} \tag{19}$$

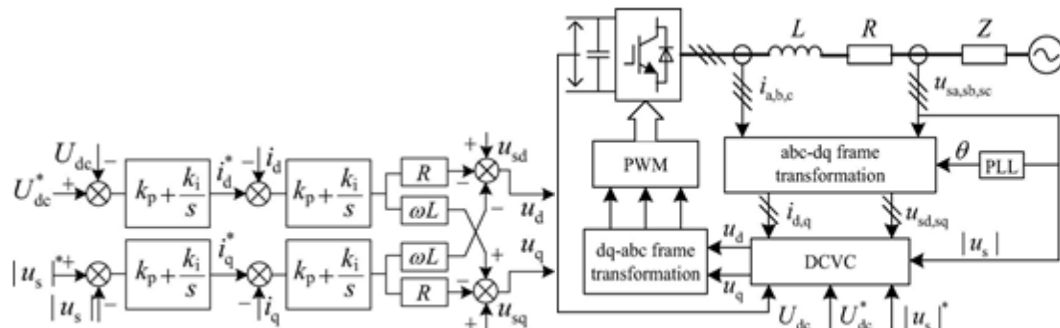


Fig. 9. Overall structure of DCVC. Fig. 10. Schematic of the control system of GVSC.

IV. CONTROL DESIGN FOR THE GVSC

Constant direct voltage control and constant ac voltage magnitude control are adopted for the GVSC. Among the strategies that realize the constant voltage control, the direct-current vector control (DCVC) is favorable for its fast current response.

From (1), the following equations can be obtained:

$$\begin{cases} U_d = U_{sd} - \left(L \frac{di_d}{dt} + Ri_d \right) - \omega L i_q \\ U_q = U_{sq} - \left(L \frac{di_q}{dt} + Ri_q \right) - \omega L i_d \end{cases} \quad (20)$$

Different from the conventional DCVC, an improved scheme consists of the outer-loop of voltage amplitude controller and the inner-loop of current feedback controller is proposed. The outer-loop controller generates the u_{sd} and u_{sq} reference currents based on the deviations of the direct voltage and the derivation of the voltage amplitude of the GVSC ac bus. The inner-loop controller generates the i_d and i_q tuning currents based on the error between the reference current and the feedback current, while the error signal tells the controller how much the tuning currents should be adjusted during the dynamic regulation process. Then, the GVSC output voltage is obtained while the tuning current signals are transformed to voltage signals for GVSC control based on the steady-state expression (20). The overall structure of the proposed DCVC is shown in Fig. 9, where U_{dc}^* and $|u_s|$ are the reference direct voltage and the reference amplitude of the GVSC ac bus voltage, respectively.

The schematic of the control system of GVSC is shown in Fig. 10, where the d axis aligned with the voltage vector of the GVSC ac bus.

V. SIMULATION STUDIES

In order to verify the validity and feature of the proposed control scheme, simulation studies have been carried out on a VSC-HVDC and ac hybrid transmission system as shown in Fig. 1 with PSCAD/EMTDC. Detailed parameters of the simulation model are listed in the Appendices.

The wind farm consists of 212 DIFGs with the rated power of 0.85 MW each. This wind farm is modeled by a single equivalent generator with a rated power of 180.2 MW under rated wind speed. The reference value of active power transmitted by WFVSC is set to 1.0 p.u.

A. Case of Operation Modes Switching With the Wind Speed Fluctuation

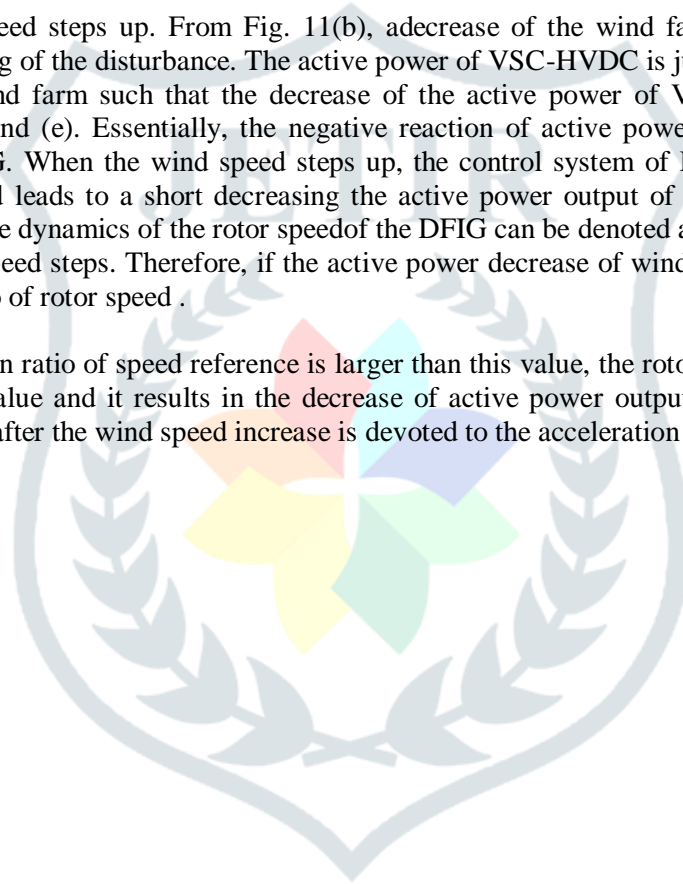
The test case is designed as: both the ac line and the VSC-HVDC are connected in the beginning of the simulation. Then the ac line is switched off the system when 8 s. An up-step change of the wind velocity occurred at 13 s, as shown in Fig. 11(a).

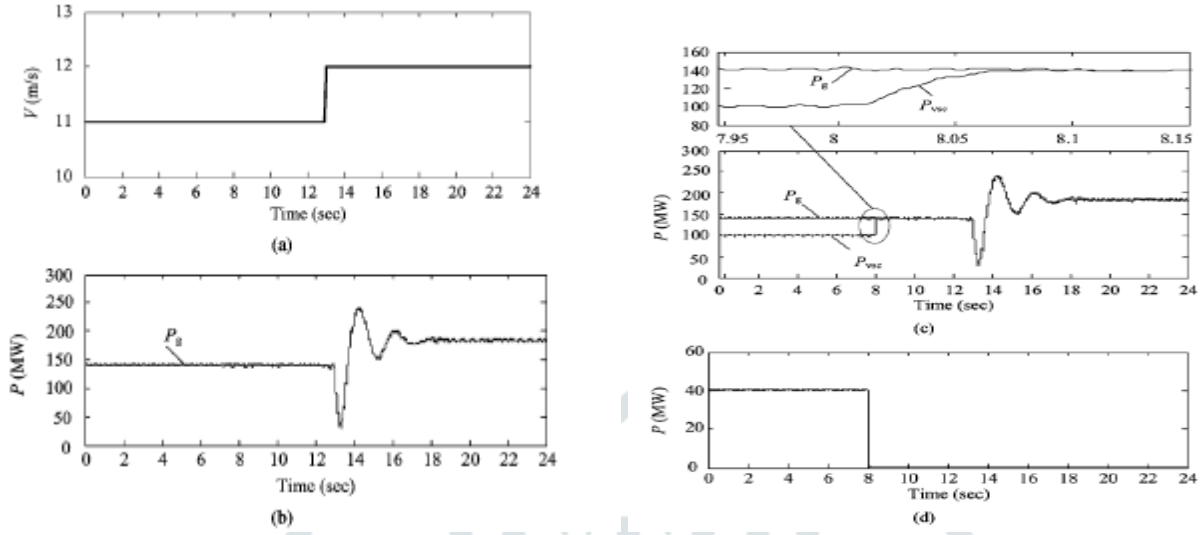
Fig. 11(b) – (h) shows the simulation results of different variables, where P_{WF} denotes the active power output of the wind farm; $P_{VSC-HVDC}$ represents the active power transmitted via the VSC-HVDC; V_{WFVSC} and V_{GVSC} are the dc voltage of the WFVSC and GVSC, respectively; and $V_{WFVSC-ac}$ and $V_{GVSC-ac}$ denote the voltage of the WFVSC ac bus and GVSC ac bus, respectively.

At the normal ac/HVDC parallel operation mode, the reference active power of the VSC-HVDC is set to be 100 MW. There are about 40 MW wind power transmitted through the ac line. When the ac line is switched off at the time of 8 s, there is only the VSC-HVDC connection between the wind farm and the rest of the system. From Fig. 11(c) and (h), one can find that the active power of the VSC-HVDC automatically increases to the value of wind plant output within 0.1 s when the VSC-HVDC is controlled with the proposed control scheme. Meanwhile, the frequency of the WFVSC ac side increases a little. This matches the analysis in (4) to (5) well.

When 13 s, the wind speed steps up. From Fig. 11(b), a decrease of the wind farm active power can be observed at the beginning of the disturbance. The active power of VSC-HVDC is just controlled to track the active power of the wind farm such that the decrease of the active power of VSC-HVDC results in as depicted in Fig. 11(c) and (e). Essentially, the negative reaction of active power is caused by the MTP control scheme of DFIG. When the wind speed steps up, the control system of DFIG increases the rotor speed reference fast and leads to a short decreasing the active power output of the DFIG, which can be explained as follows. The dynamics of the rotor speed of the DFIG can be denoted as ω_r output of the wind turbine after the wind speed steps. Therefore, if the active power decrease of wind farm is not allowed, the maximum variation ratio of rotor speed $\Delta\omega_r$.

However, if the variation ratio of speed reference is larger than this value, the rotor speed will be regulated to track the reference value and it results in the decrease of active power output of the DFIG. Thus, the decreased active power after the wind speed increase is devoted to the acceleration of the rotor of DFIG.





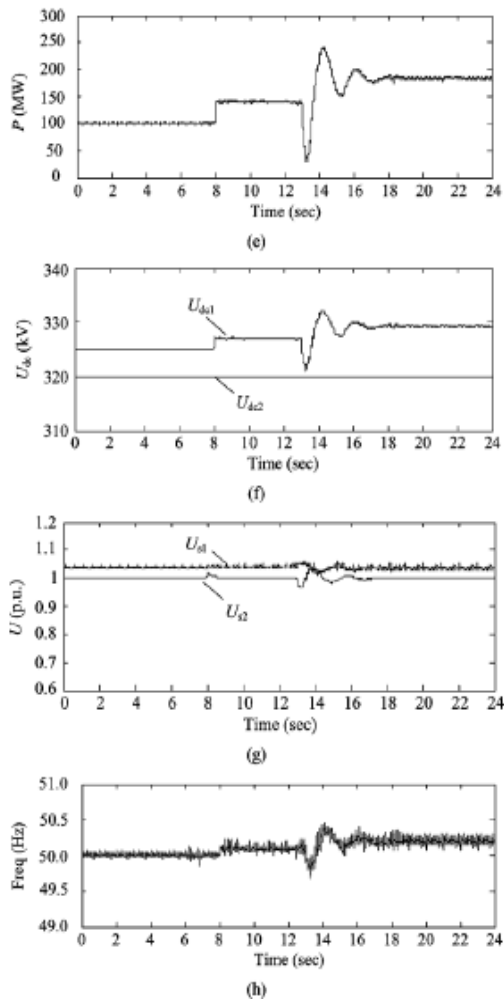


Fig. 11. Responses of system with the ac line de-energized and wind fluctuation. (a) Wind speed of the wind farm. (b) Active power output of the wind farm. (c) Active power of the wind farm and that transmitted by VSCHVDC. (d) Active power transmitted via the ac line. (e) Active power transmitted via the VSC-HVDC. (f) Direct voltages of the WfVSC and GvSC. (g) Voltages of WfVSC ac bus and GvSC ac bus. (h) Wind farm frequency

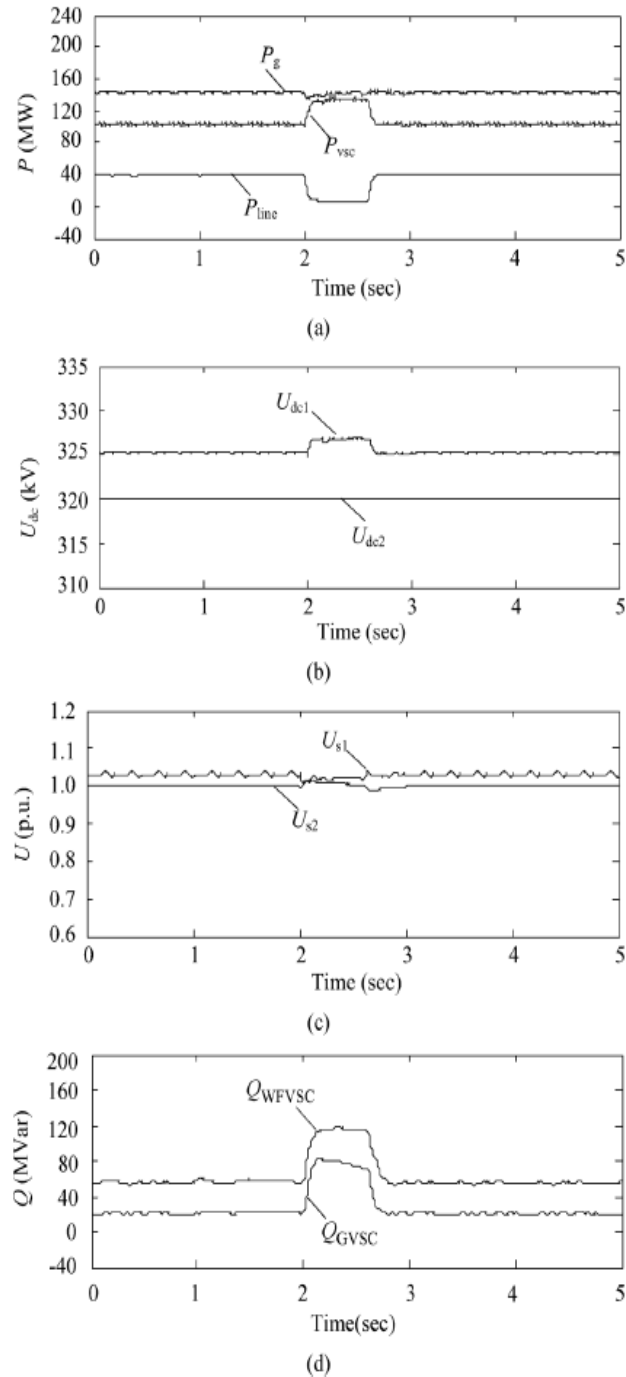


Fig. 12. System responses when confronting the ac line fault. (a) Active power of wind farm, active power transmitted via VSC-HVDC, and that transmitted via the ac line. (b) Direct voltages of WfVSC and GvSC. (c) Voltages of the WfVSC ac bus and GvSC ac bus. (d) Reactive power output of WfVSC and GvSC.

Nevertheless, no matter how the wind farm output changes, power transmitted from VSC-HVDC always keeps consistent to the wind power produced as illustrated in Fig. 11(c) and (e). Besides, both the voltage of WFVSC ac bus and the dc voltage of GVSC are well controlled as presented in Fig. 11(f) and

(g). In the ac/HVDC parallel operation mode, the frequency of WFVSC and the wind farm follow the frequency of the system. In the asynchronous connection mode where the ac line is switched off from the system, the wind farm and the WFVSC consist of an isolated small grid. In this grid, the WFVSC works as an infinite source that generates the system frequency for the DFIGs in the wind farm. In the proposed control scheme, this frequency changes along with the wind power, but the deviation range of the frequency can be controlled by proper choice of the control parameter in (5). Fig. 11(h) shows the variation of the frequency.

TABLE I
VSC-HVDC SYSTEM PARAMETERS

Rated (base) base voltage U_s	110 kV
Link transformer reactance	0.1 p.u.
Link transformer ratio	110/175 kV
Rated direct voltage	± 160 kV
DC capacitor	500 μ F
System frequency	50 Hz
Switching frequency	1650 Hz
Equivalent impedance of the main grid $ Z $	10 Ω

TABLE II
EQUIVALENT PARAMETERS OF DFIG

Rated power	0.85 MW	Rotor resistance	0.0202 p.u.
Rated voltage	0.69 kV	Rotor inductance	0.354 p.u.
Rated frequency	50 Hz	Magnetizing inductance	12.26 p.u.
Stator resistance	0.0225 p.u.	Moment of inertia	3 s
Stator inductance	0.28 p.u.	Pole pairs	2

TABLE III
PARAMETERS OF THE DC CABLE AND AC LINE

Copper resistivity	1.7241e-8 Ω m	Conductor radius	0.0133 m
Relative permeability	1.0	Insulator 1 outer radius	0.0253 m
Sheath outer radius	0.0353 m	Insulator 2 outer radius	0.0453 m
Impedance of AC line	0.078+j0.396 Ω /km		

B. Case of AC Line Fault

To test the dynamic performance of the VSC-HVDC control system, a three-phase short-circuit fault is applied to the ac line at its middle point when 2 s and the fault is cleared at 2.6 s. The system-response curves are shown in Fig. 12, where P_{ac} denotes the power transmitted via the ac line.

The results show that the severe fault on the ac line does not disturb the transmission of the wind farm power. When the power transmitted via the ac line is blocked by the fault, the power transmitted via VSC-HVDC is adjusted automatically to maintain the output of the wind power. When the fault is cleared, the values of power transmitted by the VSC-HVDC and by the ac line turn back to the original values. The voltages of the WFVSC ac bus and the GVSC ac bus show little deviation from their normal values.

VI. CONCLUSION

This paper has proposed a novel dual-mode control scheme, which involves a novel ac voltage and phase-angle control scheme designed for the active power control of the WFVSC and an improved direct-current vector control scheme designed for the control of GVSC, for the control of the ac/VSC-HVDC hybrid transmission system with the wind farm connected. According to simulation results, the following conclusions can be draw.

On one hand, concerning the adaptability of the dual-mode control scheme to the change of the operation modes of the ac/VSC-HVDC hybrid transmission system, the active power transmitted via VSC-HVDC can be controlled to be constant when operating in the parallel mode and controlled to track the fluctuating wind power when operating in

asynchronous mode. Meanwhile, the frequency of the WFVSC shows precise tracking of the grid frequency. Moreover, the dc voltage of the GVSC and WFVSC and the voltage of WFVSC and GVSC ac bus have presented little oscillation during the operation mode switching. Specially, when two asynchronous systems are connected by the VSC-HVDC, the WFVSC can be automatically controlled to resemble an ac voltage source and settle the frequency and amplitude of its ac bus voltage, which can provide a voltage reference for the wind farm.

On the other hand, the dual-mode control scheme has presented strong robustness to the system fault. Therefore, only slight fluctuation can be observed from the active power of the wind farm, active power transmitted by VSC-HVDC, direct voltage of WFVSC and GVSC, and the voltage of the WFVSC and GVSC ac bus despite the three-phase short-circuit fault occurring on the ac transmission line.

APPENDIX

Parameters of the VSC-HVDC System: For system parameters, see Table I. Parameters of the Wind Farms Equipped With DFIG: The wind farm is modeled with an equivalent DFIG of 180.2 MW. The wind farm is connected to the WFVSC ac bus by two-stage transformers called T1-1 and T1-2, respectively. The transformation ratio of T1-1 is 0.69 kV/35 kV and the one of T1-2 is 35 kV/110 kV. Table II lists the equivalent parameters of the DFIG.

Parameters of the DC Cable and AC Line: The dc cable and ac line are 100 km long. Table III lists the dc cable parameters and ac line parameters.

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