

Analytical Performance for Line of Sight Communication using MIMO Techniques

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Abstract— The MIMO system has been examined today in every wireless communication research, which improves the system's data rate capacity and reliability. In this paper, the author exploits the study of the high SNR area Spatial Multiplexing MIMO method by using different definitions such as BPSK, 16-QAM & QPSK in which MIMO communication step by step over an isolated identically distributed Rician channel with ' N_T ' Sending antennas and ' N_R ' receptor antennas ($N_R \times N_T$) are used. Finally, the author suggested an alternative recognition process with different regulatory methods that Maximum Likelihood (ML) disentangling strategy using BPSK balance plot provides better results, QPSK balance gives reasonably homogeneous results as BPSK and furthermore presumes that BER 16-QAM Modulation conspire execution produces substandard results compared to balance systems in Rician channel. After further discussion of the Spatial Multiplexing MIMO system at different antenna configuration, it is interpreted that 1×4 antenna for the Spatial Multiplexing MIMO System in the Rician fading channel provides superior results than other antenna configuration.

Keywords: Zero-Forcing, SVD (Singular Value Decomposition), Spatial Multiplexing MIMO System (SM-MIMO)

I. INTRODUCTION

In this study, multiple antenna systems are used instead of a single antenna system to boost the capacity of the radio channel that can be enhanced at both transmitter and receiver with the help of antenna arrays. Furthermore, there has been increasing interest in the MIMO technologies in both UMTS and CDMA2000 nowadays. In 1996, Diagonal Bell Laboratories proposed Space-Time architecture which is commonly called as D-BLAST. This enhances the capacity and system's rate of sending the data. This architecture now provides the benchmark for MIMO wireless communications. To reduce the architectural complications of D-BLAST, [1] an easier variant of D-BLAST called Vertical-Bell Laboratories (V-BLAST) architecture (Spatial Multiplexing MIMO System) is used [3] and to begin with functional usage of this design on MIMO remote correspondences, it's phantom proficiency should be nearby 40bits/s/Hz. Numerous plans has been planned to detonate such phantom proficiency

of Multiple input multiple output channels, and V-BLAST [2] is generally straightforward and easier to execute which can accomplish an expansive unearthly effectiveness.

It has been exhibited that (BLAST) form of coding[4] can achieve efficiencies of up to 42 bits / sec / Hz . This points to a massive improvement in cell flexible and remote LAN systems, compared with historically achievable unearthly efficiencies of 2-3 bits / sec / Hz.

RICIAN CHANNEL

The conduct of H can fundamentally veer off from H_w because of a mix of unequal radio wire dividing as well as unequal dispersing prompting spatial blurring connection. Besides, the nearness of a settled (conceivably viewable pathway or LOS) [8] segment in the divert will bring about Ricean blurring [5].

Within the sight of a LOS segment between sender and receptor, the Multipleinput multiple output channel might be acclimated as expansion of settled segment and a blurring part which is given by above condition

$$\mathcal{H} = \sqrt{\frac{\kappa}{1+\kappa}} \bar{\mathcal{H}} + \sqrt{\frac{\kappa}{1+\kappa}} \dots \dots \dots (2)$$

$\sqrt{\frac{\kappa}{1+\kappa}} \bar{\mathcal{H}} = E[\mathcal{H}]$ is Line Of Sight part.

$\sqrt{\frac{\kappa}{1+\kappa}} \mathcal{H}_w$ represents fading part.

- $\kappa > 0$ represents Rician [7] k-factor of the channel
- When $\kappa = 0$, perfect Rayleigh fading channel.
- extreme $\kappa = \infty$ channel non fading

II. SPATIAL MULTIPLEXING MIMO SYSTEM:

Spatial Multiplexed MIMO System (SM- MIMO) can transfer high speed data as compared to antenna diversity technique. Nonetheless, flag recognition at collector side is testing assignment for SM - MIMO frameworks which gives a chance to assume the $N_R \times N_T$ MIMO framework in Figure (1).

Here is an opportunity to indicate a channel network with it (j, i)th passage h_{ji} for channel pick up out of the i th transmitting radio wire and j th receiving device $j=1,2 \dots$. The spatially-multiplexed client information, relating signals are

$$x = [x_1, x_2, x_3 \dots \dots \dots x_{N_T}]^T$$

$$y = [y_1, y_2, y_3 \dots \dots \dots y_{N_R}]^T, \text{ respectively,}$$

where x_i and y_j denotes signals from the i th transmitter and j th is the receiver signal at receiver.

III. SIGNAL DETECTION OF SM-MIMO SYSTEM:

Linear signal detection technique regards every transmitted signals as obstructions with the exception of the coveted stream from the objective transmit radio wire. Consequently, interference signal from other transmitter or receiving ~~xxx~~wires are limited over span of distinguishing the coveted signals from the objective transmit reception apparatus. To encourage the identification of wanted signs from every receiving wire, the impact of channel is rearranged by weight framework W [11] with the end goal that

$$\tilde{x} = [\tilde{x}_1 \tilde{x}_1 \tilde{x}_1 \dots \dots \dots \tilde{x}_{N_T}]^T$$

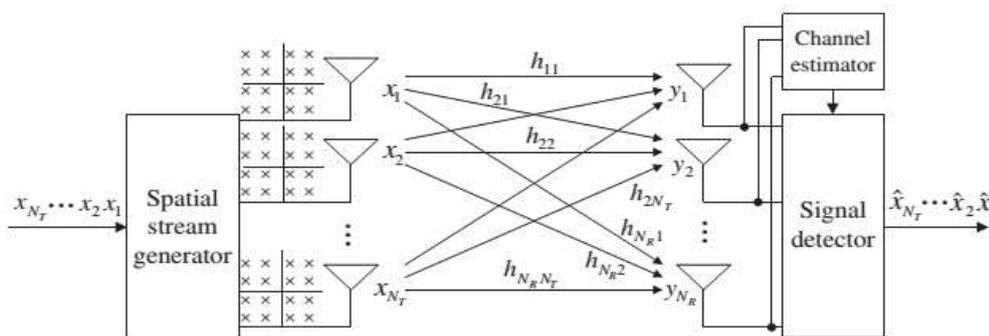


Fig.1 Spatial Multiplexing MIMO System

The most common linear exposure techniques comprise of ZF method, MMSE method and (ML) Technique

A. ZF Signal Detection

Zero-forcing (ZF) method restrict interferences by using:

$$W_{ZF} = (\mathcal{H}^H \mathcal{H})^{-1} \dots \dots \dots (3)$$

The power of the posttracking noise can be measured using SVD[10].

$$E \left\{ \|\tilde{Z}_{ZF}\|_2^2 \right\} = \sum_{i=1}^{N_T} \frac{\sigma_z^2}{\sigma_i^2} \dots \dots \dots (4)$$

Where $\tilde{Z}_{ZF} = W_{ZF} Z$

B. MMSE signal detection

To increase post-tracking SINR [9], use of MMSE weight matrix is presented by following condition

$$W_{MMSE} = (H^H H + \sigma_z^2 I)^{-1} H^H \dots \dots \dots (5)$$

By using SVD, post-tracking power of noise is given by

$$E \left\{ \|\tilde{Z}_{MMSE}\|_2^2 \right\} = \sum_{i=1}^{N_T} \frac{\sigma_z^2 \sigma_i^2}{(\sigma_i^2 + \sigma_z^2)^2} \dots \dots \dots (6)$$

When channel matrix is high the signal to noise ratio in terms of linear filtering is quite significant i.e. the noise enhancement effect because of least singular value [8] for the ZF and MMSE linear detectors are shown by

$$E \left\{ \|\tilde{Z}_{ZF}\|_2^2 \right\} = \sum_{i=1}^{N_T} \frac{\sigma_z^2}{\sigma_i^2} \approx \frac{\sigma_z^2}{\sigma_{min}^2} \text{ for ZF}$$

$$E \left\{ \|\tilde{Z}_{MMSE}\|_2^2 \right\} = \sum_{i=1}^{N_T} \frac{\sigma_z^2 \sigma_i^2}{(\sigma_i^2 + \sigma_z^2)^2} \approx \frac{\sigma_z^2 \sigma_{min}^2}{(\sigma_{min}^2 + \sigma_z^2)^2} \text{ for MMSE} \dots \dots \dots (8)$$

Where $\sigma_{min}^2 = \min\{\sigma_1^2, \sigma_2^2, \sigma_3^2, \dots, \sigma_{N_T}^2\}$

Comparison of Eq (6) and Eq (8), shows that result of noise improvement in MMSE filtering is smaller amount of vital than in ZF filtering [9]. Secondly if $\sigma_{min}^2 > \sigma_z^2$ and thus $\sigma_{min}^2 + \sigma_z^2 \approx \sigma_{min}^2$, therefore noise improvement effects of two linear filters comes to be similar. Diversity with ZF technique is $N_R - N_T + 1$. When there is one sender antenna and many receptor antennas then ZF receiver could be considered similar to MRC [12] receiver which has diversity order of N_R .

C. OSIC Signal Detection

With ordered successive interference cancelation (OSIC) method, we can maximize output without any increase in the complexity [9]. It uses a series of linear receptors which is able to receive only one of the data stream with the detected signal components successively canceled from the received signal at each stage. Rather, the observed signal gets separated from the transmitted signal at each stage so as remaining part with decreased interference could be used and all remaining signals can be used in subsequent stages to nullify the interference.

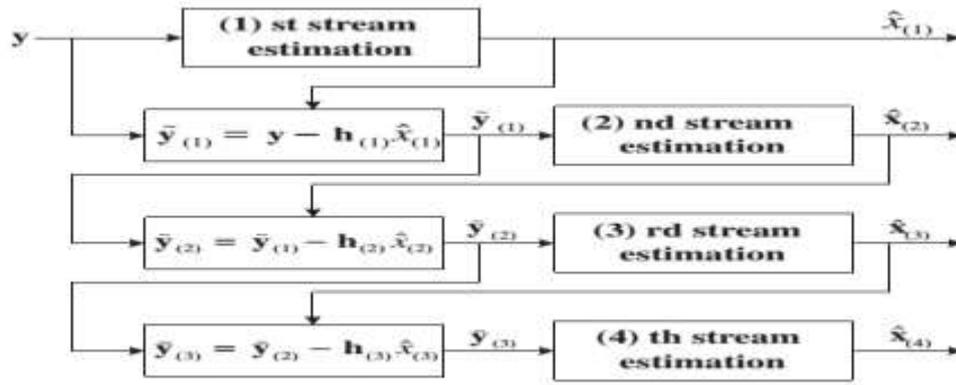


Fig.2 Ordered Successive Interference Cancellation model

Let $x(i)$ represents symbol in the i th order that differ from sender signal in the i th antenna as $x(i)$ depends on the detection order. Let $\tilde{x}(i)$ represents sliced value of $x(i)$. In OSIC [3], ZF method or MMSE method could represent symbol estimation [5]. The 1st stream is roughly calculated with 1st row vector of the MMSE weight matrix [6] in equation (9). After analyzing it to get $\tilde{x}(i)$, unused part at this point is generated by subtraction from the received signal, and is given by,

$$\tilde{y}(1) = y - h(1) \tilde{x}(1) = h(x(1) - \tilde{x}(1)) + h(2)x(2) + \dots + h(N_T)x(N_T) + z \dots \dots \dots (9)$$

If $x(1) = \tilde{x}(1)$ then interference gets cancelled in estimating $x(2)$; however, if $x(1) \neq \tilde{x}(1)$, then propagation error gets introduced due to MMSE weight when $x(1) = \tilde{x}(1)$ is used for estimating $x(2)$.

D. ML Signal Reception

Maximum likelihood detection [11] finds Euclidean distance among the signal vector obtained and all possible vectors transmitted along mentioned channel H , chooses 1 with least displacement. Here N_T be sender antenna number signal constellation symbol points is represented by C . Therefore, transmitted signal vector x is given due to ML detection as

$$\tilde{x}_{ML} = \arg \min_{x \in C^{N_T}} \|y - \mathcal{H}x\|^2 \dots \dots \dots (10)$$

Where $\|y - \mathcal{H}x\|^2$ represents ML metric. The ML method gets optimum output as the maximum a posteriori (MAP) detection [6] considering all sending vectors are equal. Nevertheless, as the order of modulation or the number of sending antennas grows, the complexity rises dramatically. ML metric calculation is given by $|C|^{N_T}$. With MML calculations of ML metric has been decreased from $|C|^{N_T}$ to $|C|^{N_T-1}$ by the modified ML (MML) detection method [13]. Therefore using it can result in decreasing complexity when $N_T=2$. Still the system is complex for $N_T \geq 3$.

SIMULATION AND RESULTS

I perform all the simulation on MATLAB 7.0 to find BER analysis of Spatial Multiplexing MIMO System. I reproduce the BER execution of SM-MIMO System utilizing different finders like Maximum Likelihood, MMSE, ZF, ZF-SIC, and MMSE -SIC in Ricean level blurring channel by sending the distinctive tweak procedures like BPSK, QPSK and 16-QAM

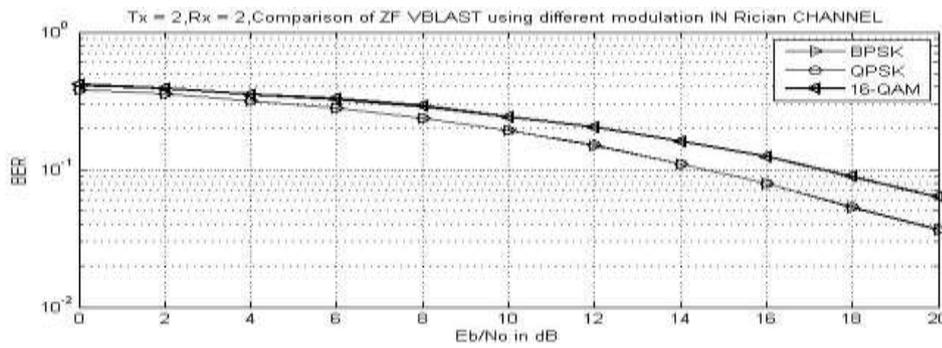


Figure 3. Comparison of ZF-SM-MIMO System using different modulation techniques

In Figure 3, It has been examined that BPSK and QPSK in ZF got similar results and 16 QAM has inferior result than both. We got 3 dB difference between the BPSK and 16 QAM modulations at 0.01 BER.

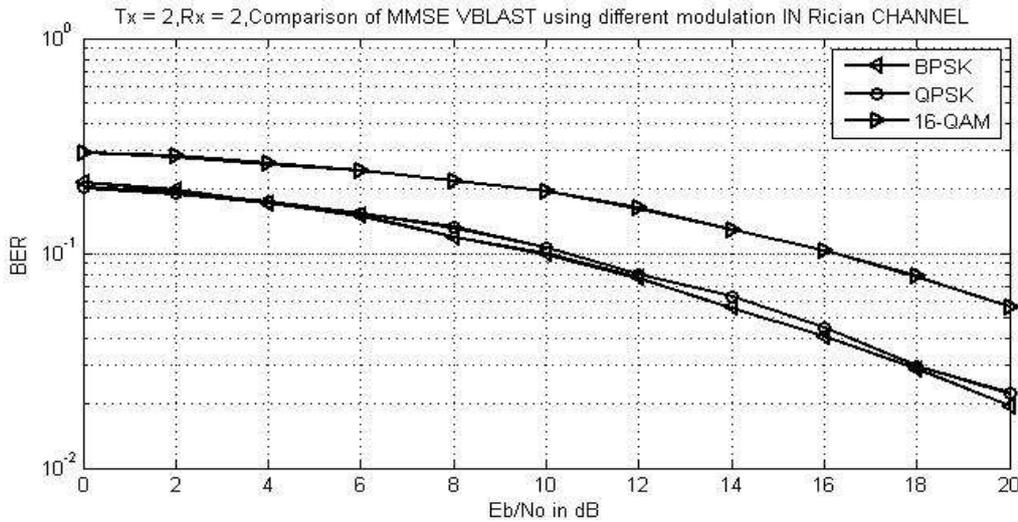


Fig. 4 Comparison of MMSE-SM-MIMO System using different modulation techniques

In Figure 4, in MMSE, BPSK and 16QAM differ by 6dB at 0.01 BER whereas QPSK and BPSK have almost the coequal results.

In Figure 5, in ZF-OSIC in Rician Channel, BPSK and QAM differ by 4dB at 0.01 whereas Binary and Quadrature Phase shift keying got similar results.

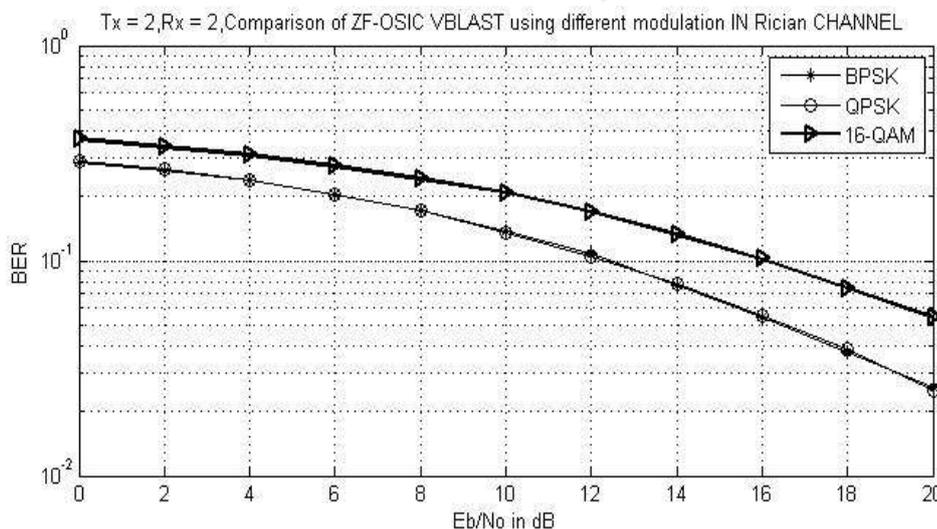


Fig. 5 Comparison of ZF-OSIC SM-MIMO System using different modulation techniques

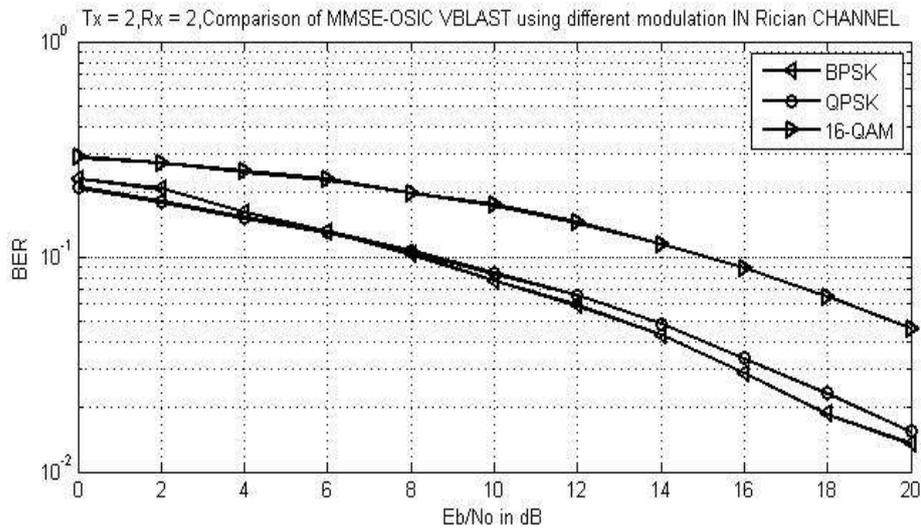


Fig.6 Comparison of MMSE-OSIC SM-MIMO System using different modulation technique

In Figure 6, in MMSEOSIC ,BPSK and 16QAM differ by 8dB at 0.01 BER whereas Binary and Quadrature Phase shift keyings got similar results and 16 QAM got second rate result than Binary and Quadrature Phase shift keyings.

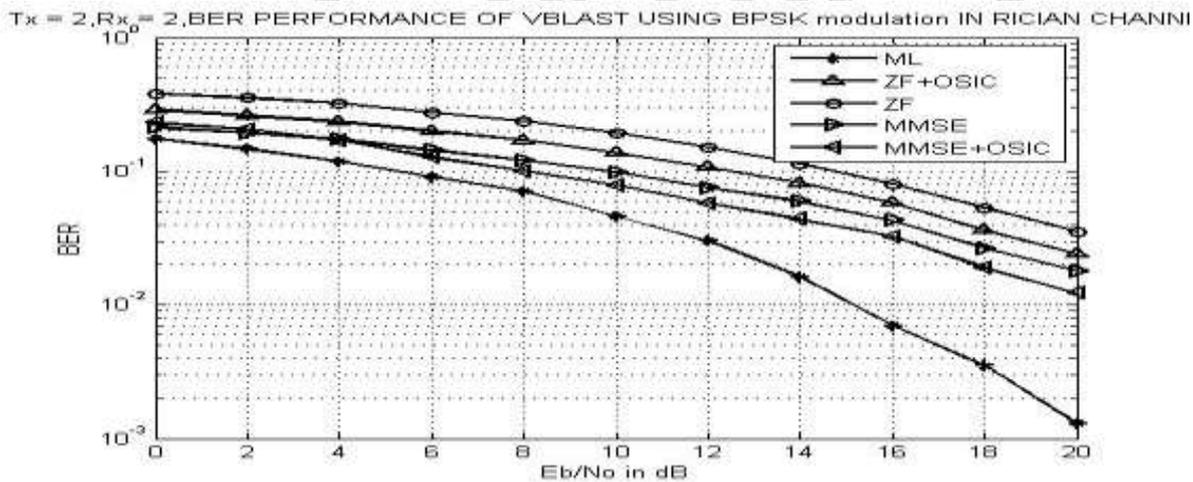


Fig.7 Comparison of different detection techniques of SM-MIMO System in BPSK modulation technique

The above diagram Fig.7 is graph among BER and SNR utilizing BPSK in Rician Channels [5]. It gives an examination among the distinctive indicators like ML, ZF-OSIC, ZF, MMSE and MMSE-OSIC. These gets utilized at recipient in V-BLAST System. It is resulted with ML getting excellent execution than different identifiers which were utilized at recipient under V BLAST system, ZF have maximum detectably terrible execution. If we look at ZF and ML, execution bend of two finders gets near one another at less SNR yet hole becomes bigger when SNR increases. At this point when SNR increases, post recognition of SNR is for the most part influenced by channel network H. On the off chance that we think about the (MMSE and ZF)-OSIC, at 0.01 BER approximately 4dB distinction among the two finders has been noticed.

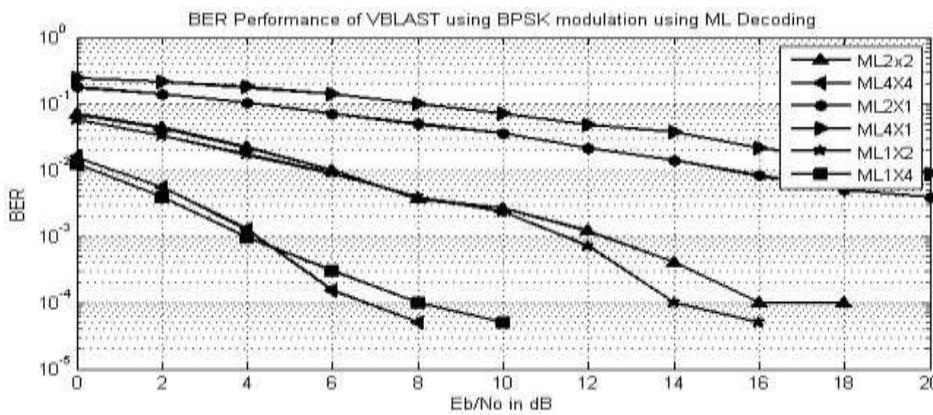


Fig.8 BER performance of SM-MIMO System of ML decoder by deploying different antennas

IV. CONCLUSION

Here, we considered MIMO V BLAST framework execution with Ricean channel [5]. Spatial Multiplexing framework is contrasted and diverse tweak procedure and framework shows signs of improvement result in BPSK regulation and 16-QAM balance strategy gives most noticeably bad outcome with various recognition method. Facilitate we reason that ML interpreting procedure is the best mistake identifying strategy than other disentangling strategies. Advance Fig.8 show the recreation comes about for BPSK tweak with just ML translating strategy utilizing differing reception apparatuses at information and yield. In this 1 x 4 receiving wires for SM-MIMO framework exhibit the astounding outcomes as contrast with other radio wire arrangement.

V. REFERENCES

- [1] G.D.Golden, "Detection algorithm and initial laboratory results using the V-BLAST space-time communication architecture", *Electron Lett.* vol 35, no 1, pp 1415, Jun- 1999.
- [2] G. Ginis, "On the relationship between V-BLAST and GDFE", *IEEE Communications letters*, vol 5, pp 364-366, Sep-2001.
- [3] I.E. Telata, "Capacity of multi-antenna Gaussian channels", *ETT*, vol 10, pp 585-595, Dec-1999
- [4] G.Foschin, "Layered space-time architecture for wireless communication in a fading environment when using multiple antennas", *Bell Labs, Technical Journal 2*, Vol 1, pp 41-59, Sep-1996.
- [5] S.Loyka, "Performance analysis of the V-BLAST algorithm: an analytical approach", *IEEE Trans. Wireless Communications*, Vol 3, pp 1326-1337, July- 2004.
- [6] L. Zheng, "Diversity and multiplexing, Fundamental trade-off in multiple antenna channels", *IEEE Trans. on Information Theory*, vol 49, pp 1073-1096, May -2003.
- [7] M.Varanasi, "Optimum decision feedback multiuser equalization with successive decoding achieves the total capacity of the Gaussian multiple-access channel," *Conference record of the Thirty-First Asilomar Conference on signals, Systems and Computers*, vol 2, pp 1405-1409, Nov- 1997.
- [8] AM. Tulino, "Random Matrix Theory and Wireless Communications", Hanover, MA 02339, Now publishers Inc., Sep-2004.
- [9] E.Biglieri, "Fading Channel: Information Theoretic and Communication Aspects", *IEEE Trans. Information theory*, Vol 44, pp 2619-2692, Oct-1998
- [10] H. ElGamal, "The layered space-time architecture: a new perspective", *IEEE Trans*, vol 47, pp 2321-2334, Sep- 2001.
- [11] IE Telatar, "Capacity of multi-antenna Gaussian channels," *ETT*, vol 10, no6, pp 585-595, Nov/Dec -1999.
- [12] X Li, "Effects of Iterative Detection and Decoding on the Performance of BLAST", *IEEE Global Telecommunications Conference*, vol.2, pp.1061-10066, Nov 2000.
- [13] Choi, J, "Adaptive MIMO decision Feedback Equalization for Receivers with time varying channels", *IEEE transaction*, vol 55, No 7, pp 3405-3416.